

CONAE Microwave Radiometer (MWR) Counts to Tb Algorithm (Version 6.0) and On-orbit Validation

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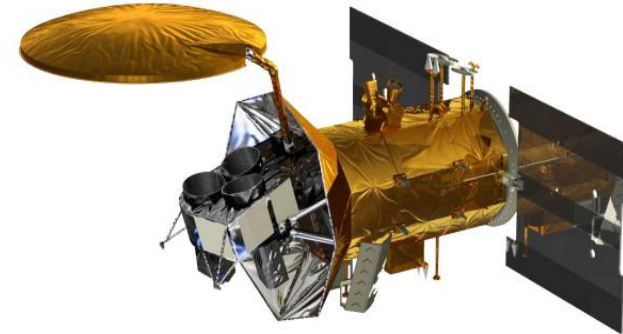
¹CFRSL – Central Florida Remote Sensing Lab

²CONAE – Comisión Nacional de Actividades Espaciales

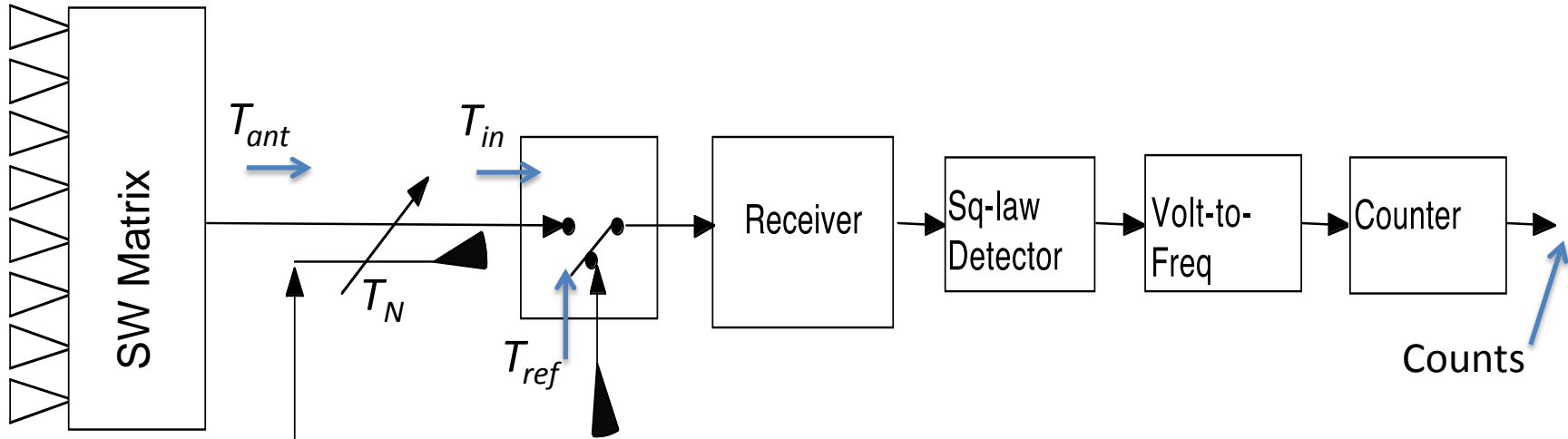
MWR Calibration Workshop

Buenos Aires, AR

Nov. 15, 2013



MWR Channel Block Diagram



Three Dicke radiometer states:

$$C_a = (T_{ant} + T_{recv}) * G_{recv} + V_{off-set} \quad (1)$$

$$C_N = (T_{ant} + T_N + T_{recv}) * G_{recv} + V_{off-set} \quad (2)$$

$$C_{ref} = (T_{ref} + T_{recv}) * G_{recv} + V_{off-set} \quad (3)$$

Subtracting (1) from (2) yields the radiometer gain, which varies in time

$$G_{recv} = \frac{C_N - C_a}{T_N}$$

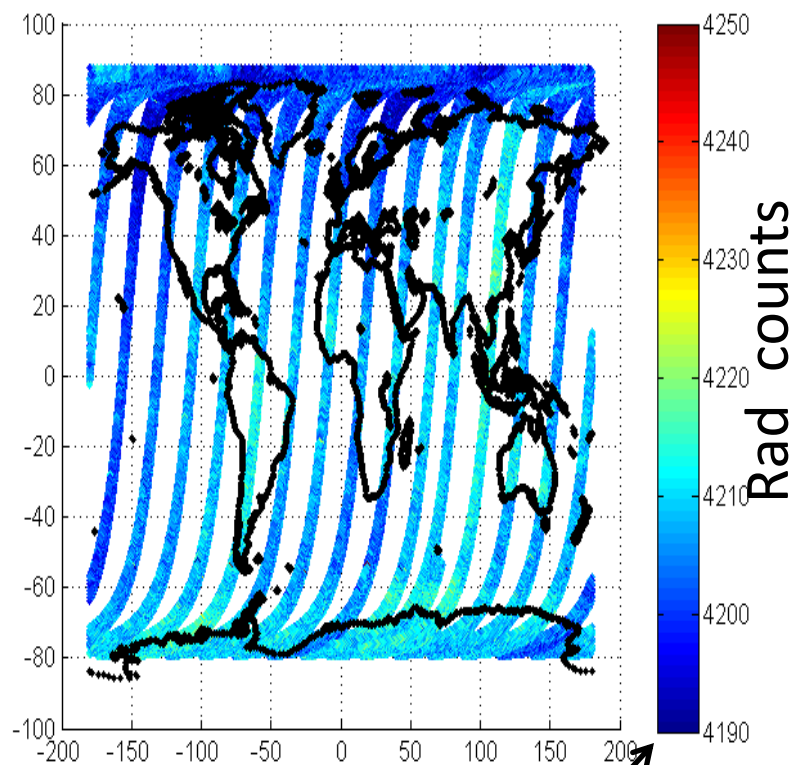
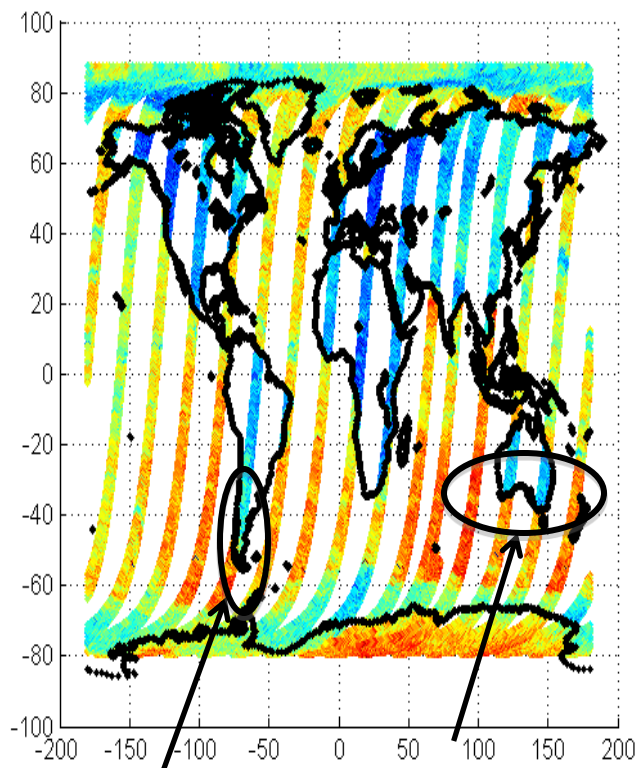
MWR Counts to Tb V5.0S Algo Validation

- During MWR on-orbit Cal/Val testing, all three radiometer channels exhibited similar brightness temperature (T_b) anomalies:
 - The system gain was found to depend upon input scene T_b
 - Gain, calc using the excess noise ratio = $(C_N - C_a)/T_N$, changed abruptly at Ocean/Land boundaries where high T_b contrast exist
- This anomaly is believed to be the result of a slightly non-linear radiometer transfer function (T_{in} to counts)

37GHz V-pol, On-orbit Noise Diode Deflection ($C_N - C_A$), Descending Passes for One Day (All Beams)

V5.0S

V6.0



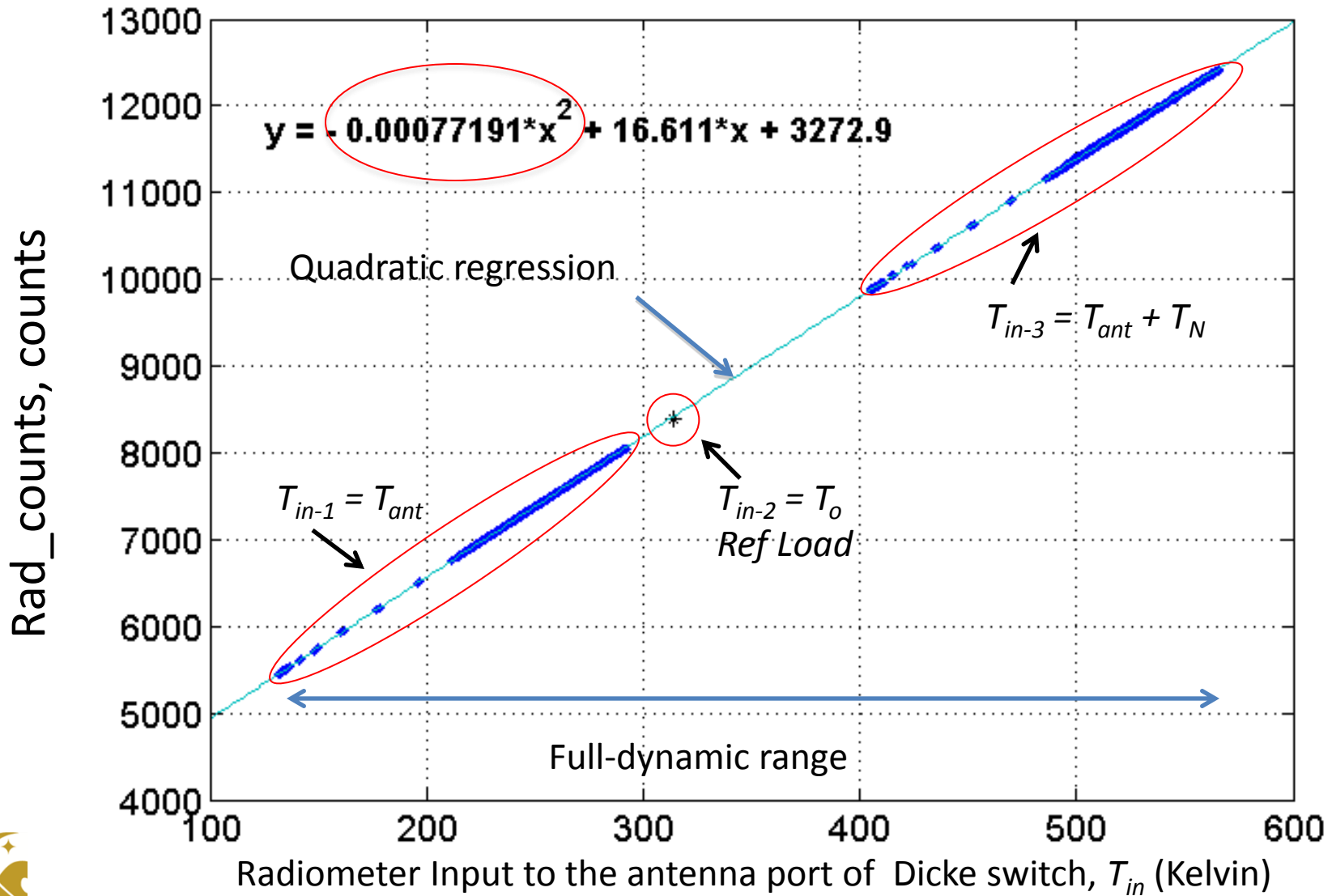
Note: "gain jumps" @
land/water boundaries

Dynamic range = 60 counts

MWR Counts-to-Tb Algorithm V6.0

- New version V6.0 developed by CFRSL and CONAE incorporates :
 - Smear correction counts (same as V5.0S)
 - Counts linearization
 - Removes radiometer transfer function non-linearity
 - Reanalysis of pre-launch TV calibration data
 - To improve front-end loss coefficients
 - Antenna Pattern Correction (APC)
 - To convert T_{ant} to Tb
- The results are presented in the following charts

MWR Radiometer Transfer Function for 37V V5.0S (constant gain) for One Orbit



V6.0 Radiometer Transfer Function Linearization

- Averaging 2nd order regression coeff's from 7 DSC orbits, the instantaneous counts linearization equation is:

- For 37 V
$$C_{x_linear} = C_x - (-7.4677e - 004) * T_{in}^2$$

- For 37 H
$$C_{x_linear} = C_x - (-6.9064e - 004) * T_{in}^2$$

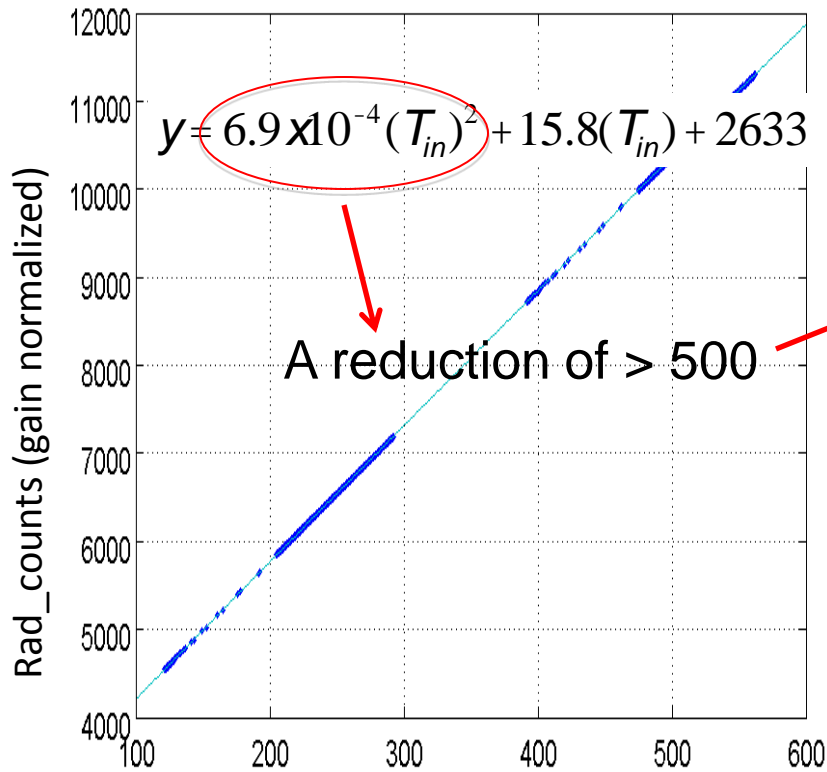
- For 23 H
$$C_{x_linear} = C_x - (-2.1708e - 004) * T_{in}^2$$

Where $x = ant, N, \text{ and } ref$

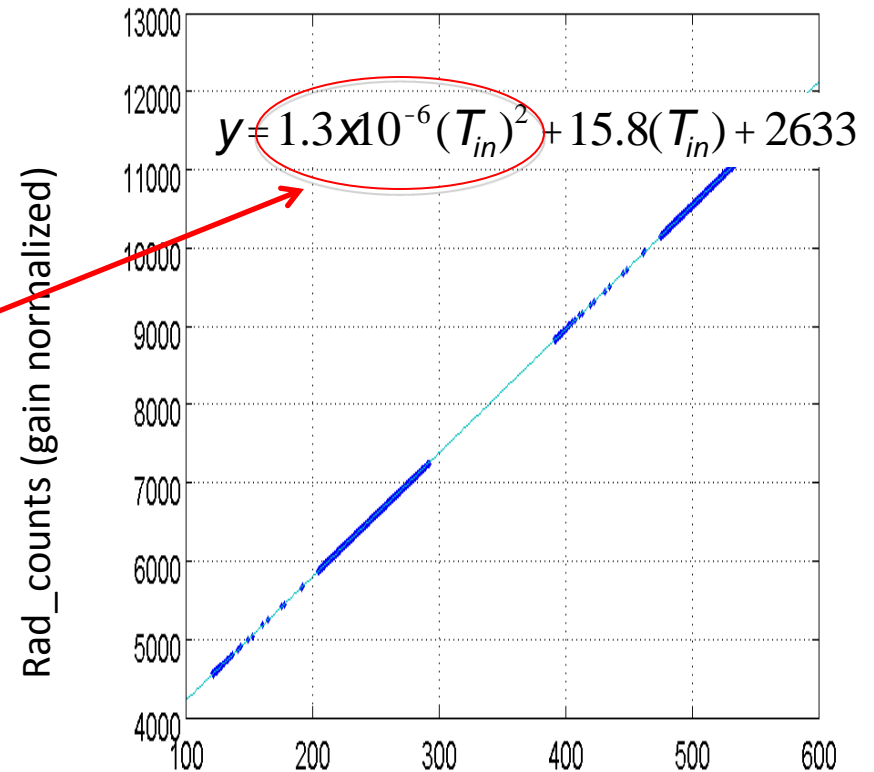
T_{in} is the input Tb to the Dicke switch, which is estimated using smear-corrected (non-linear) counts

Radiometer Transfer Function 37V (constant gain) V5.0S and V6.0

V5.0S (non-linear counts)



V6.0 (linear counts)

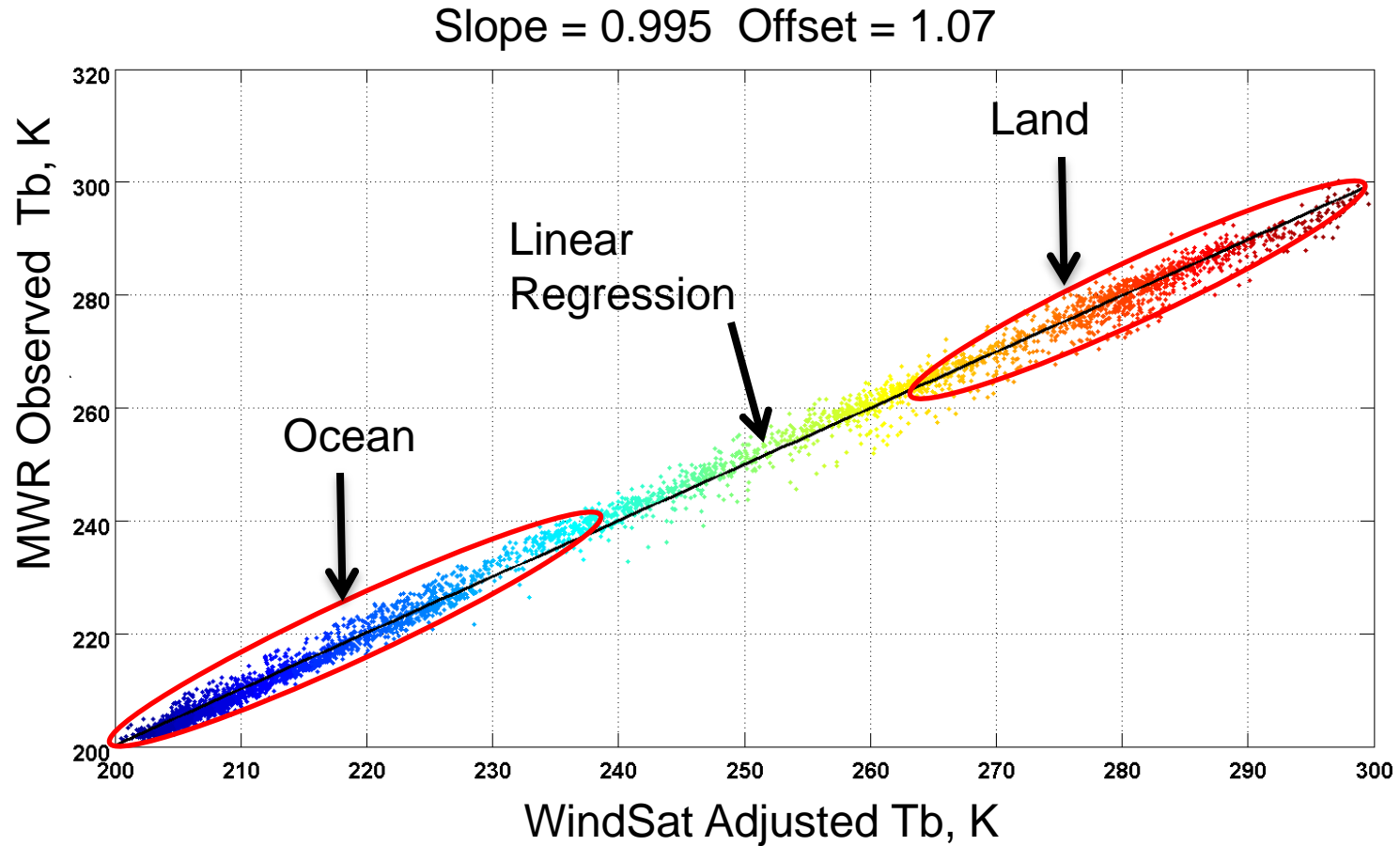


Radiometer Input to the antenna port of Dicke switch, T_{in} (Kelvin)

Post Launch Analysis

- APC and residual bias correction were applied by inter-satellite XCAL
 - MWR = target & WindSat = reference
- MWR and WindSat have different incident angles, therefore, T_b 's were adjusted using theoretical radiative transfer model values for both satellites (MWR_{sim} and WS_{sim})
$$WS_{adj} = WS_{obs} + (MWR_{sim} - WS_{sim})$$
- Double Difference Technique
$$DD = MWR_{obs} - WS_{adj}$$

37GHz V-pol, Comparison of MWR V6.0 (Beam 1) and WindSat



Double Difference Radiometric Biases

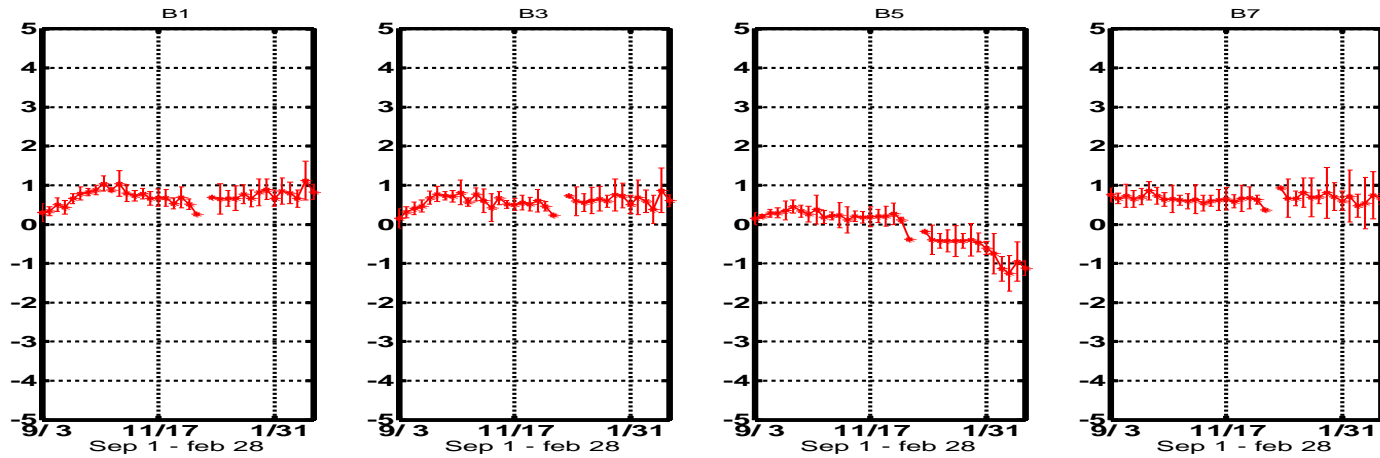
MWR/WindSat

(Five Days Average)

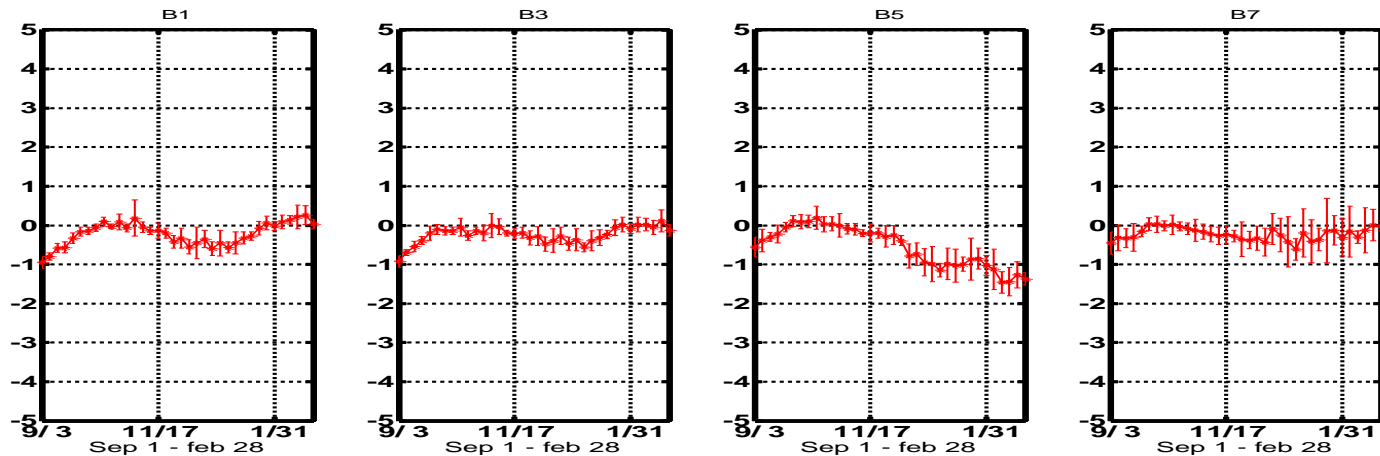
Sept 01, 2012 – Feb 28, 2013

Double Difference Biases 37V, Odd Beams

Version 5.0S



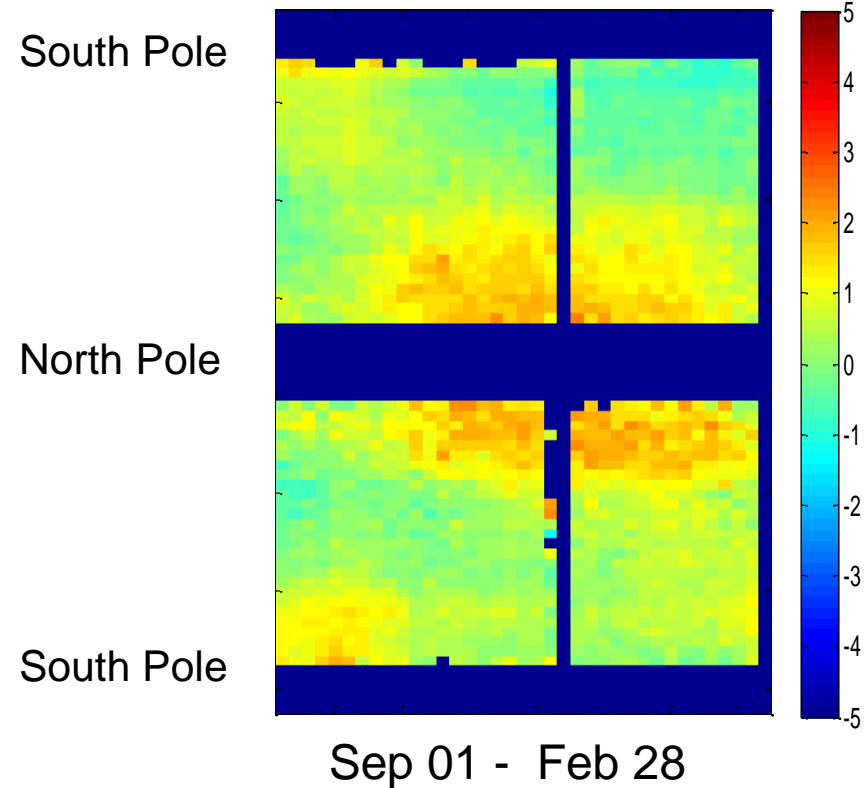
Version 6.0



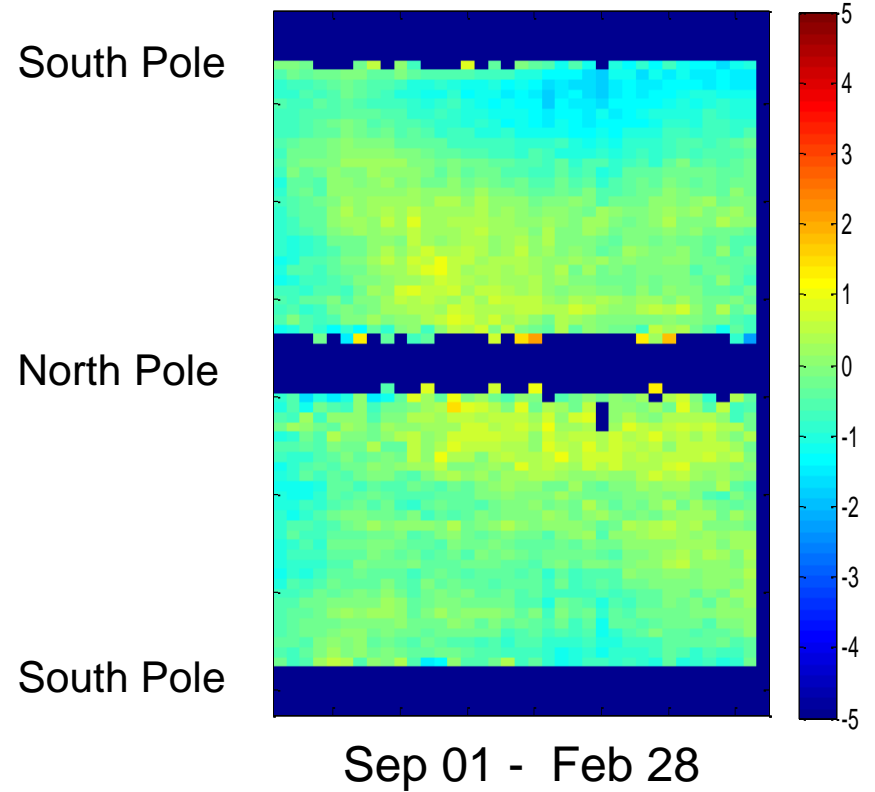
Five days Average in 5° Lat Zones

37V, Odd Beams

Version 5.0S

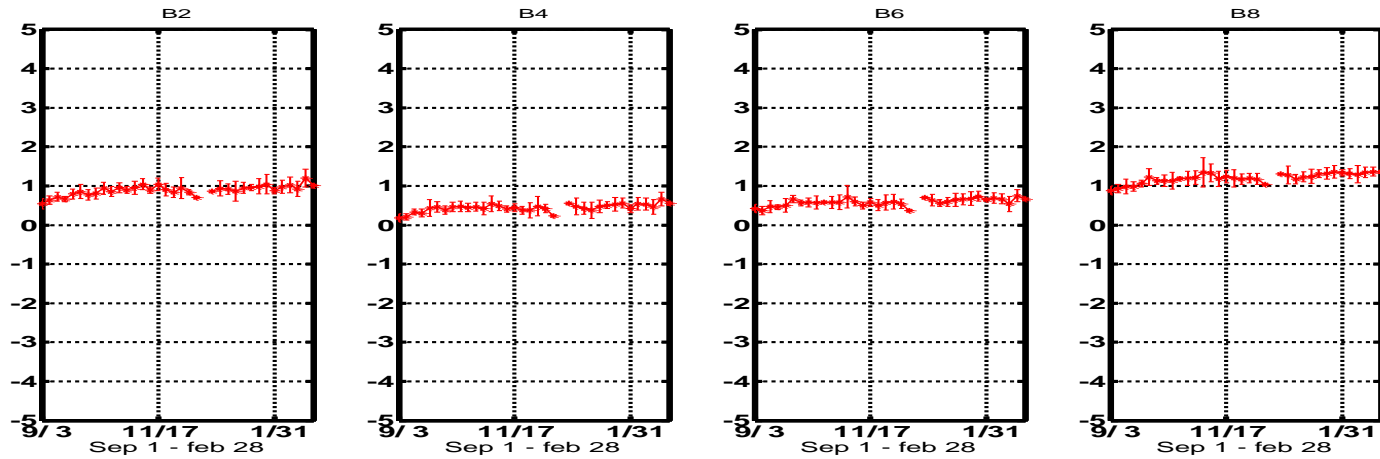


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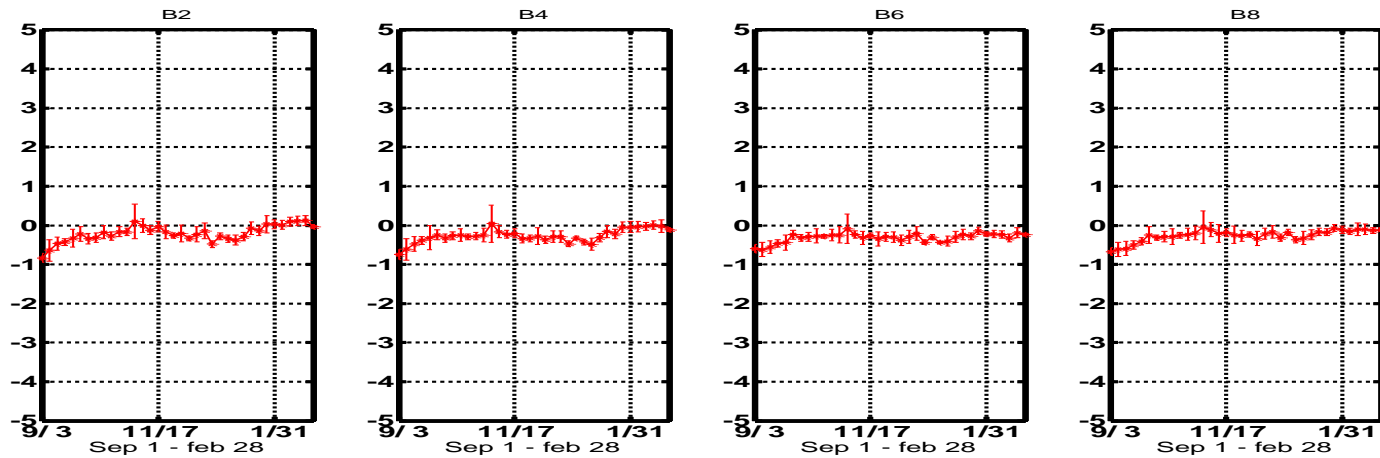


Double Difference Biases 37V, Even Beams

Version 5.0S



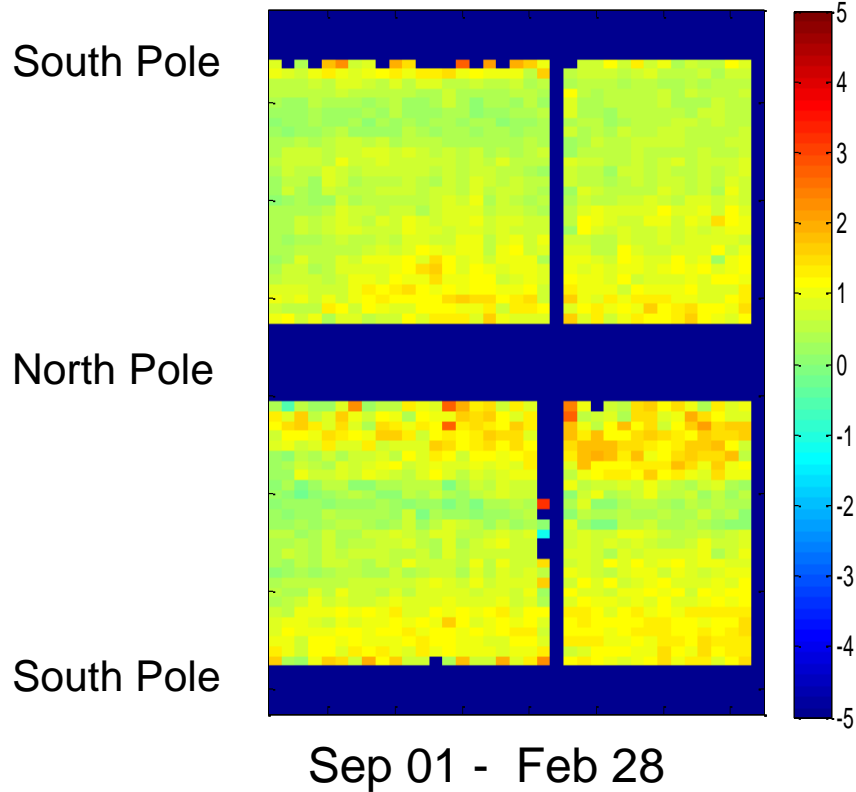
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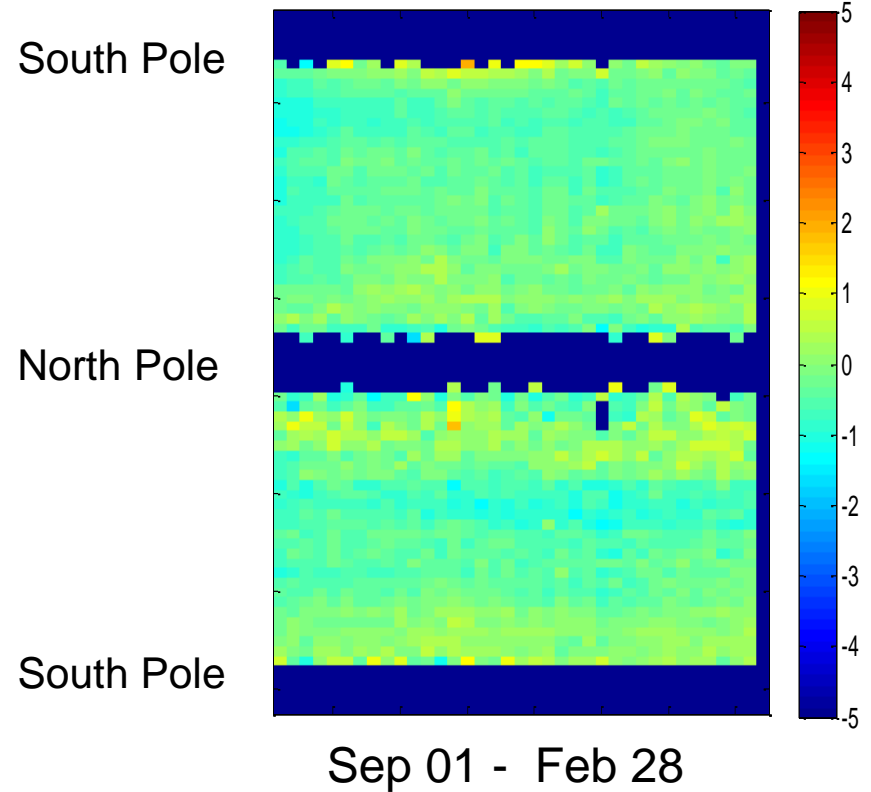
Five days Average in 5° Lat Zones

37V, Even Beams

Version 5.0S

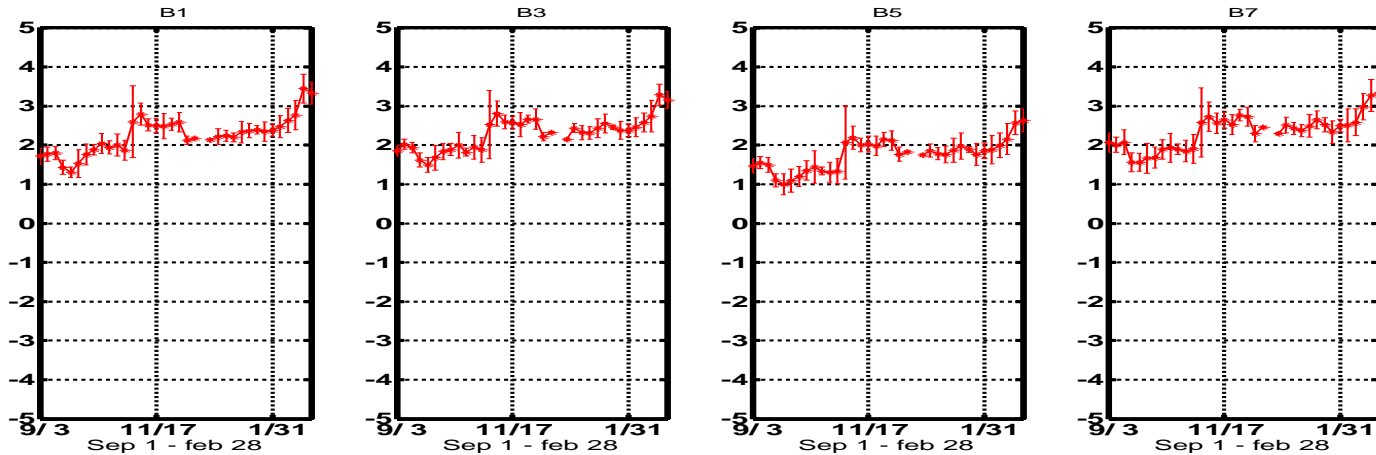


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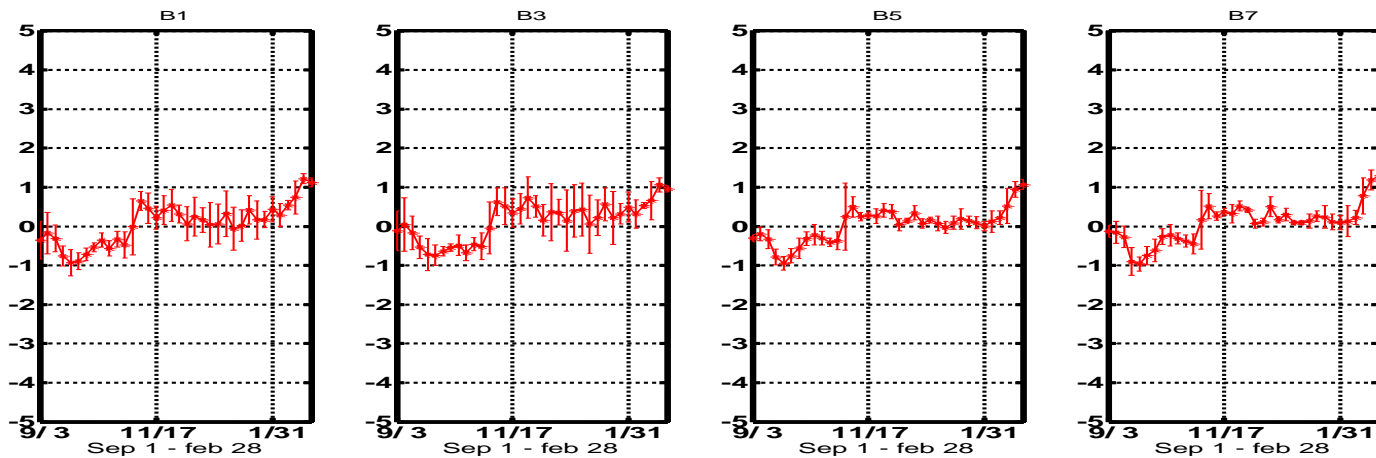


Double Difference Biases 37H, Odd Beams

Version 5.0S



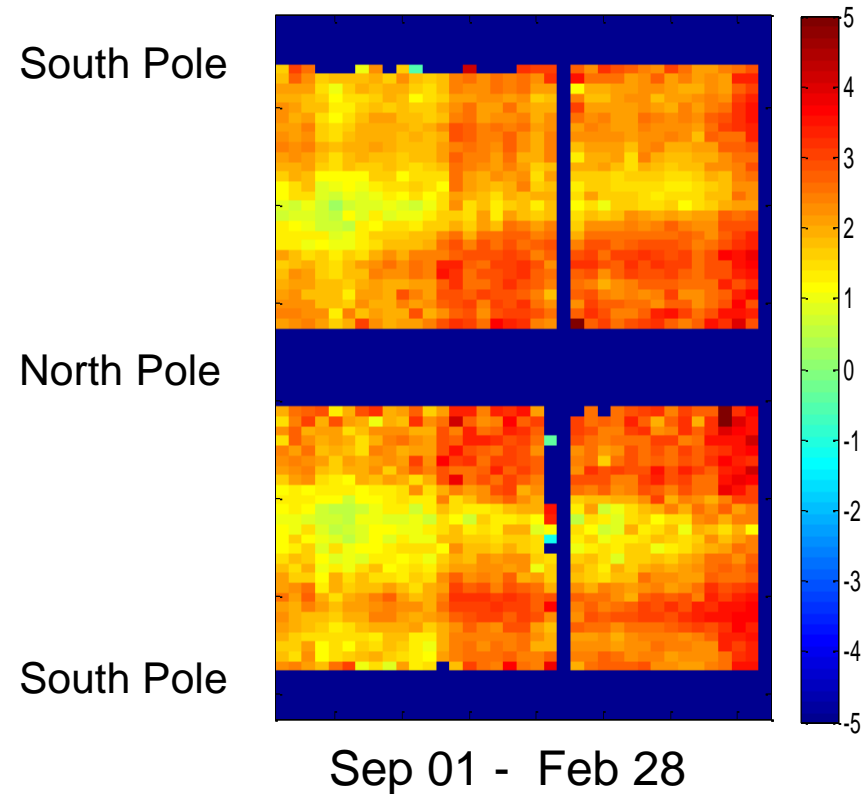
Version 6.0



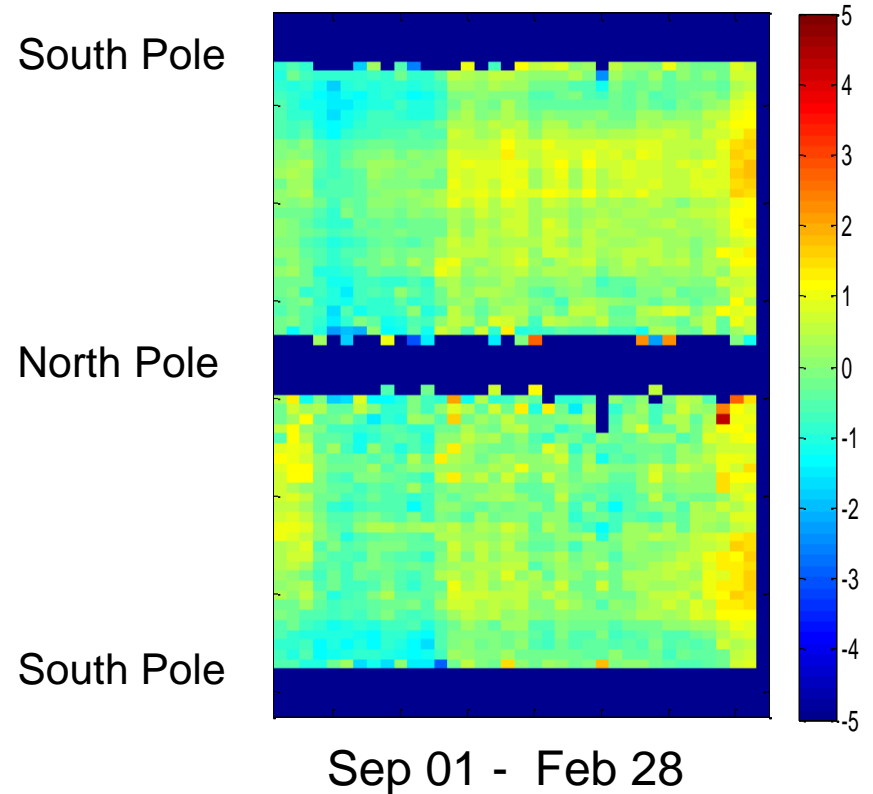
Five days Average in 5° Lat Zones

37H, Odd Beams

Version 5.0S

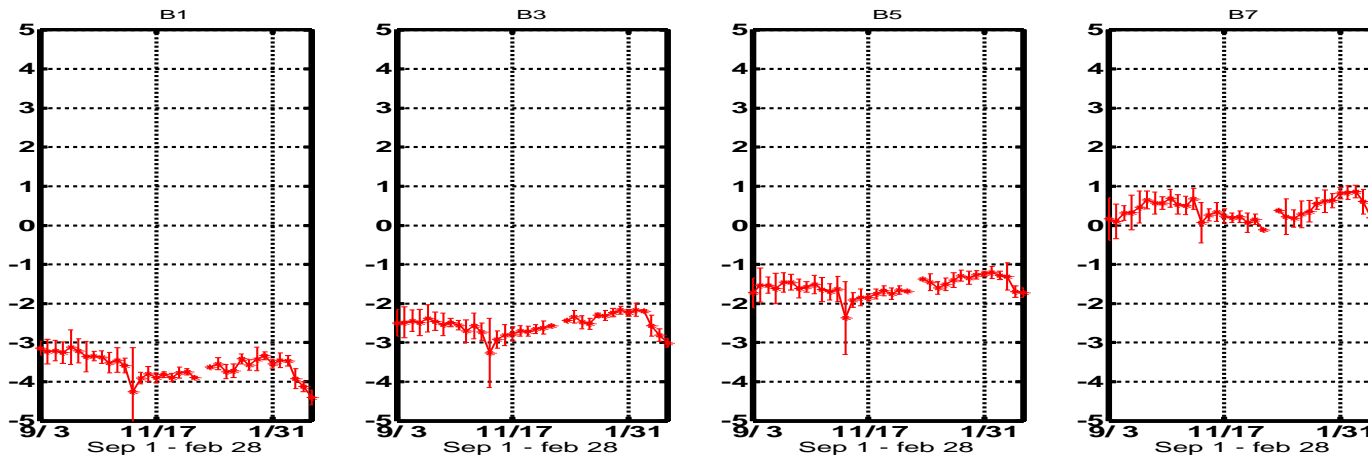


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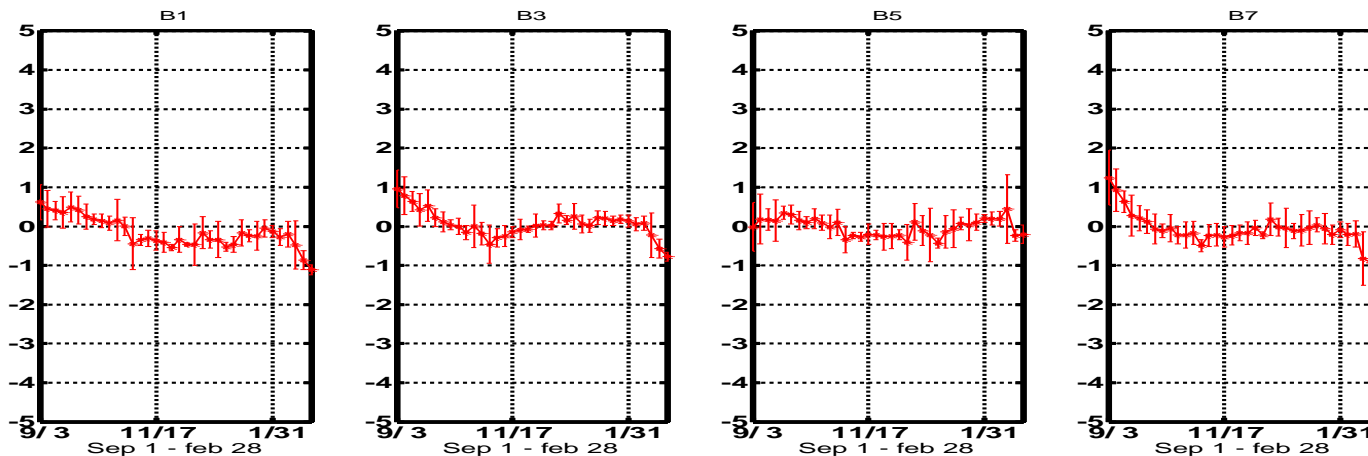


Double Difference Biases 23H, Odd Beams

Version 5.0S



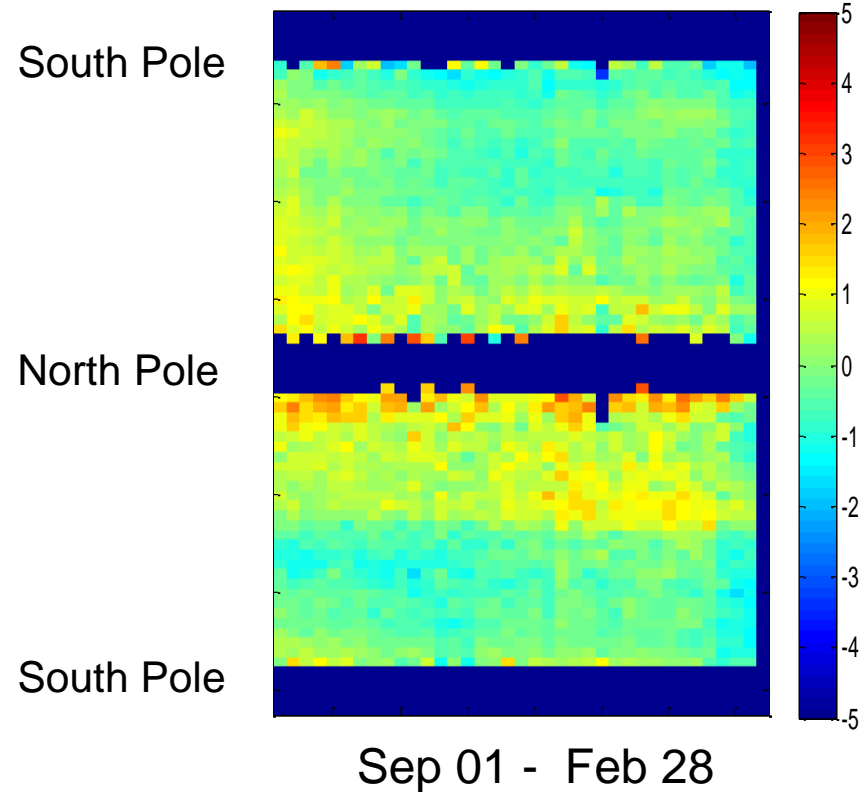
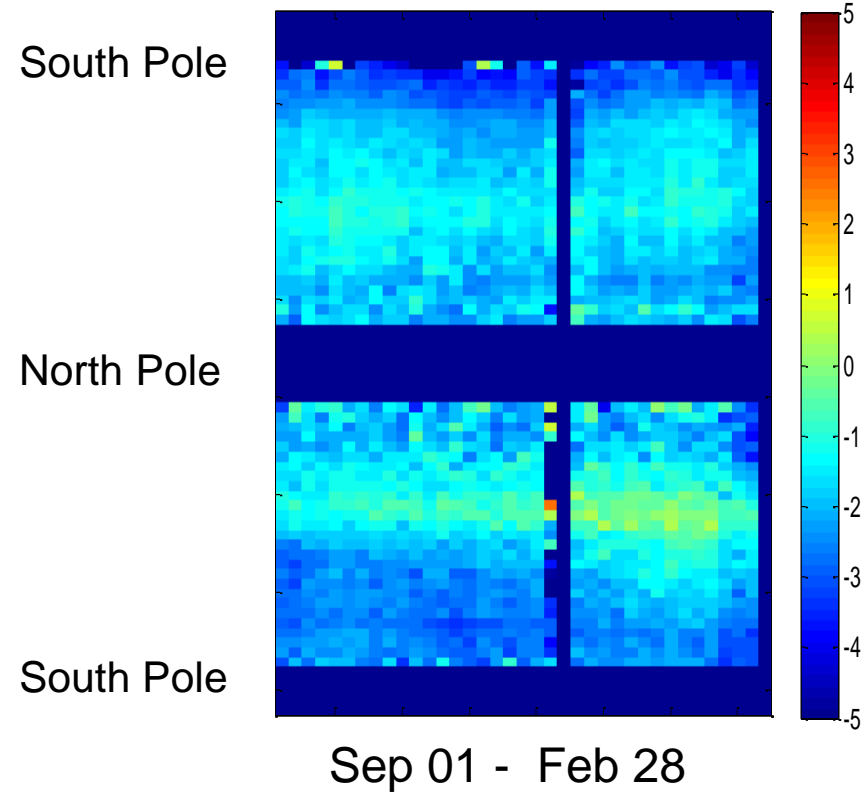
Version 6.0



Five days Average in 5° Lat Zones 23H, Odd Beams

Version 5.0S

Version 6.0



Conclusions

- MWR Counts to Tb algorithm V6.0 has been developed and a beta test version has been distributed to the AQ Cal/Val team via PODAAC
- MWR transfer function non-linearity in V5.0S has been characterized and corrected in V6.0
 - A count-linearization procedure has been shown to make the radiometer transfer function linear and removed the effect of gain dependence on the input scene brightness
- On-orbit inter-satellite radiometric calibration (XCAL) between MWR and WindSat have produced the antenna pattern correction (APC) and removed small Tb biases

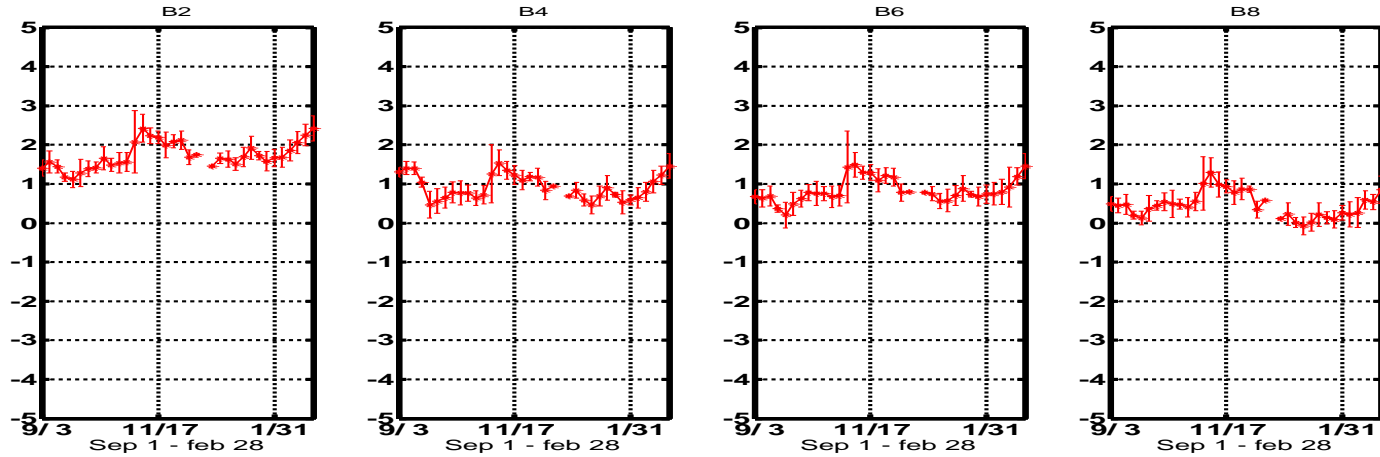
Back-up Slides

Recommendations, that:

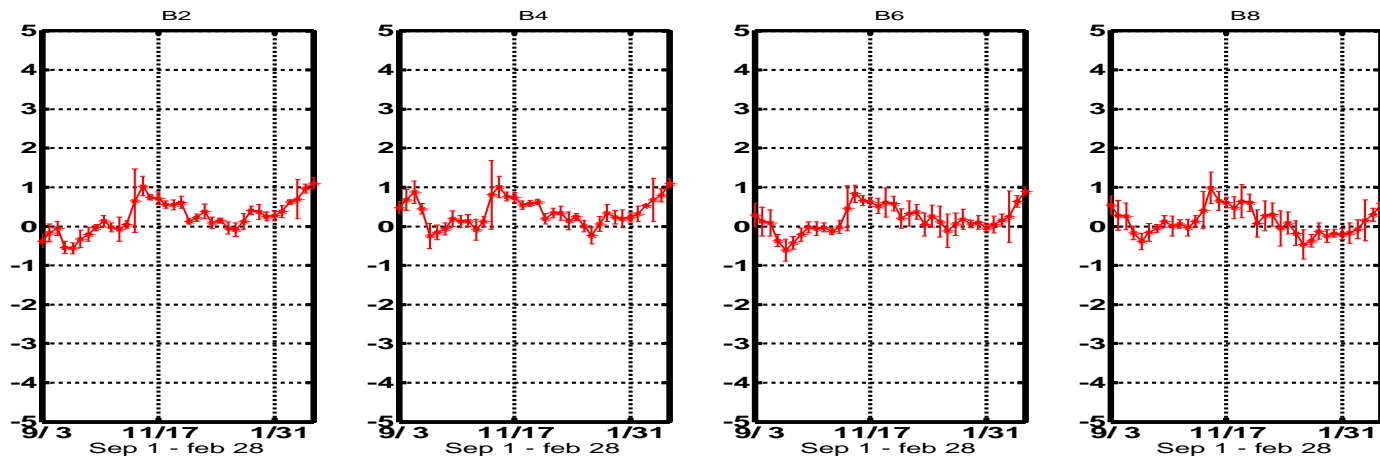
- MWR V6.0 Counts to Tb algorithm be adopted by CONAE for L-1B processing
- All MWR data should be reprocessed using V6.0
- L-2 Geophysical retrieval algorithms should be retuned using V6.0 Tb's
- MWR Calib and Application team reviews be held in Spring 2014 to formally release MWR data products

Double Difference Biases 37H, Even Beams

Version 5.0S



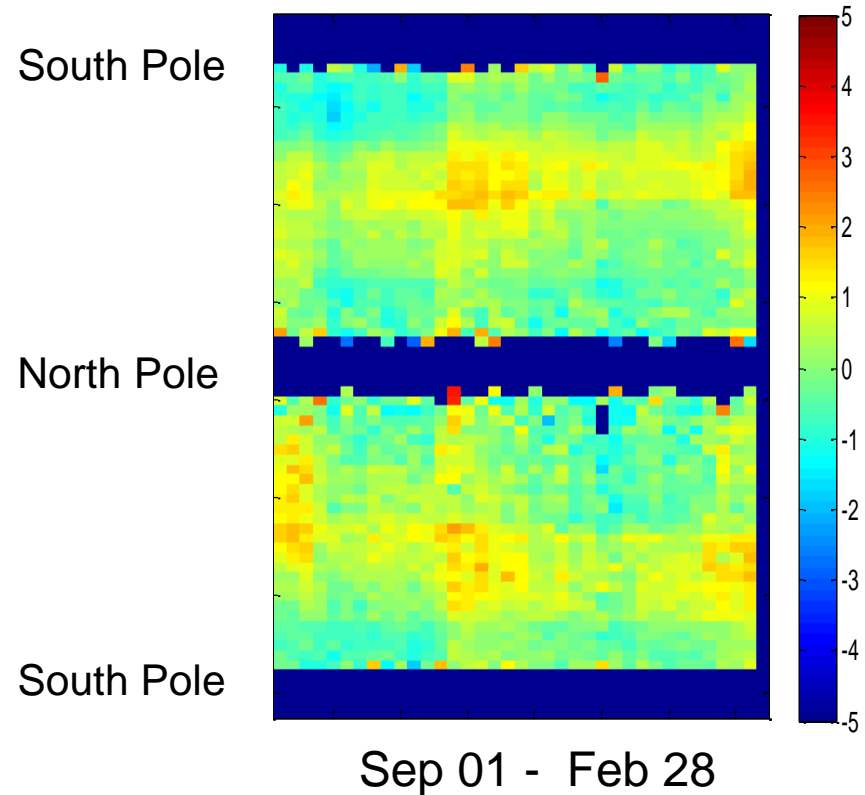
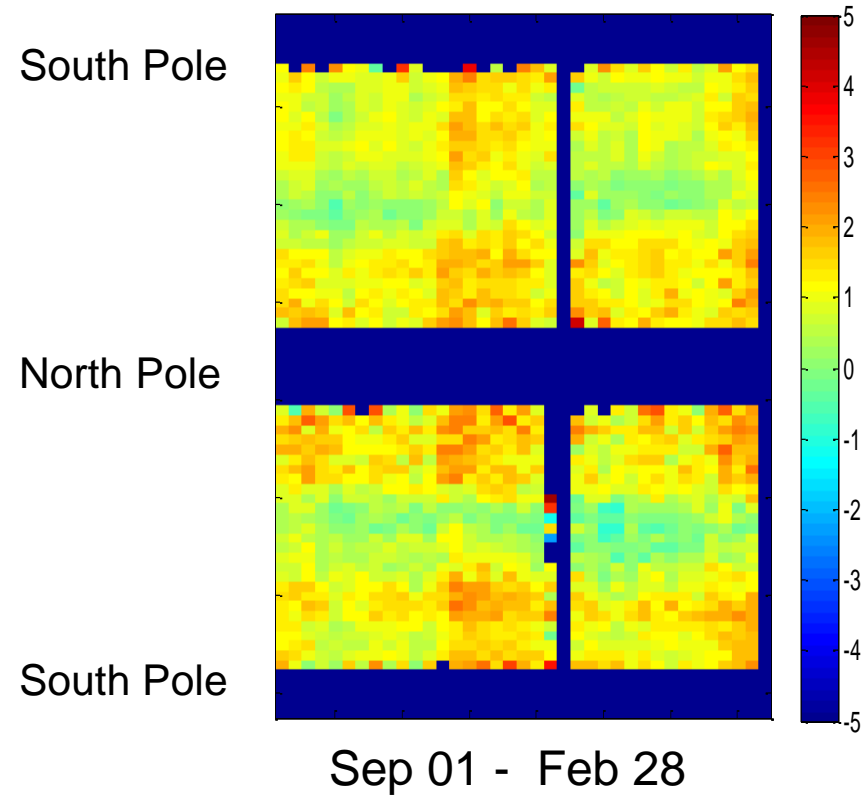
Version 6.0



Five days Average in 5° Lat Zones 37H, Even Beams

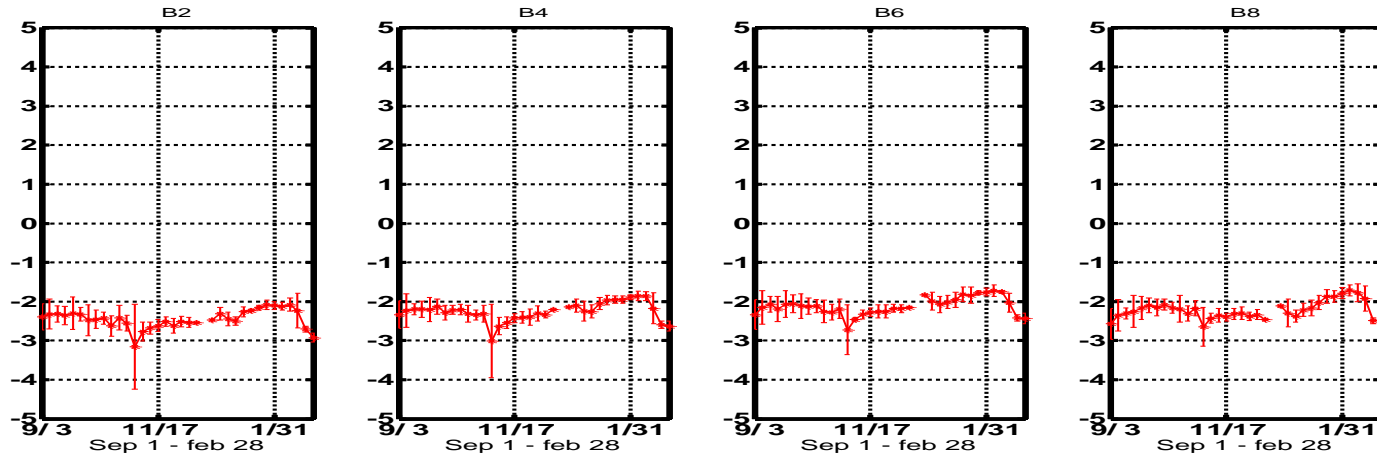
Version 5.0S

Version 6.0

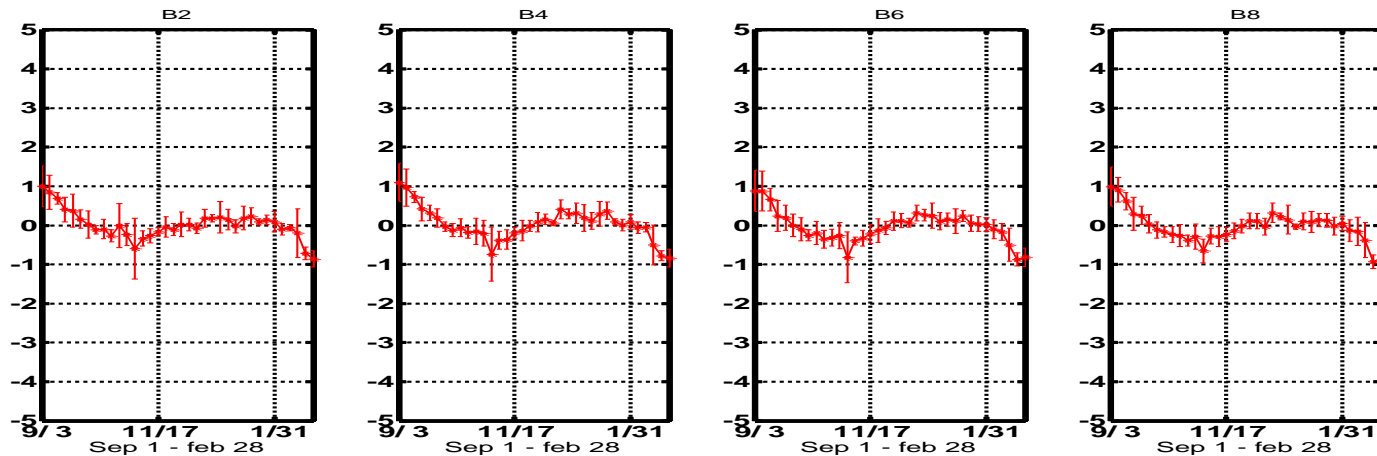


Double Difference Biases 23H, Even Beams

Version 5.0S



Version 6.0

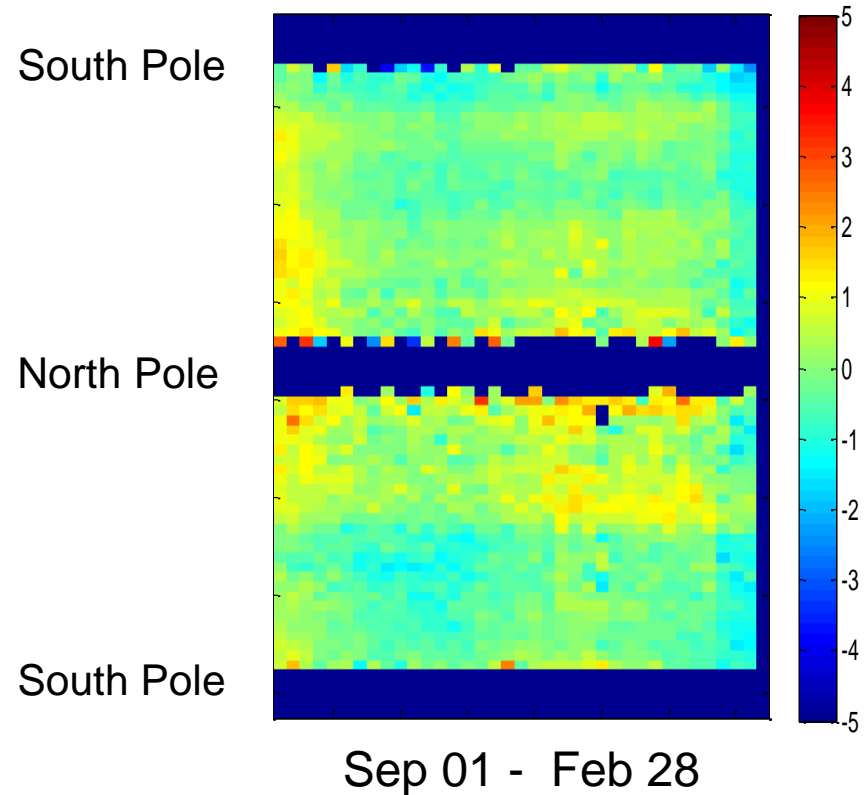
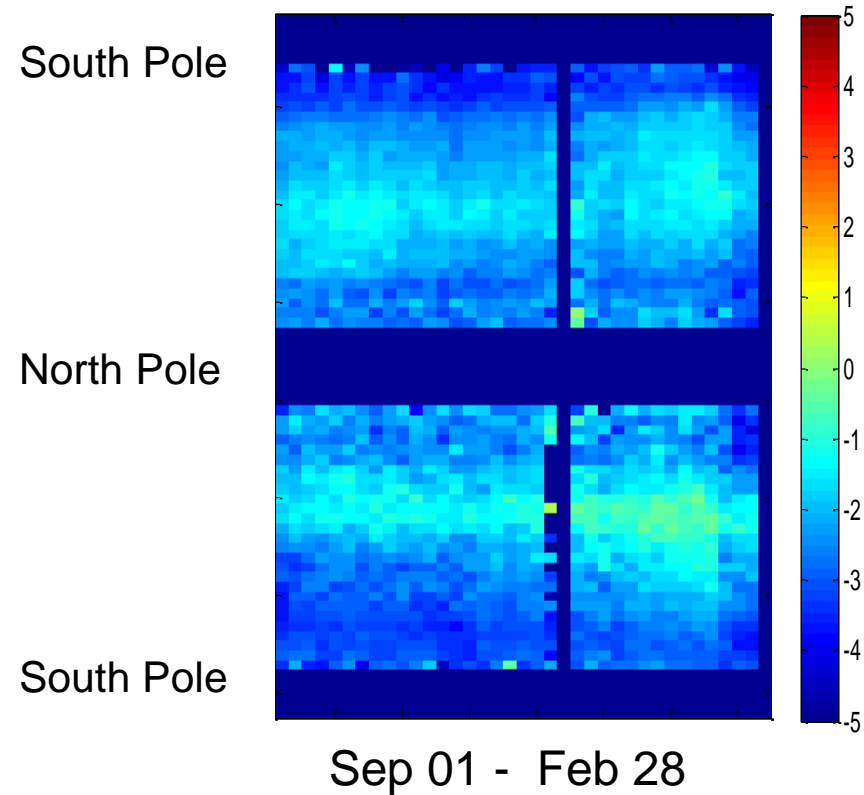


Five days Average in 5° Lat Zones

23H, Even Beams

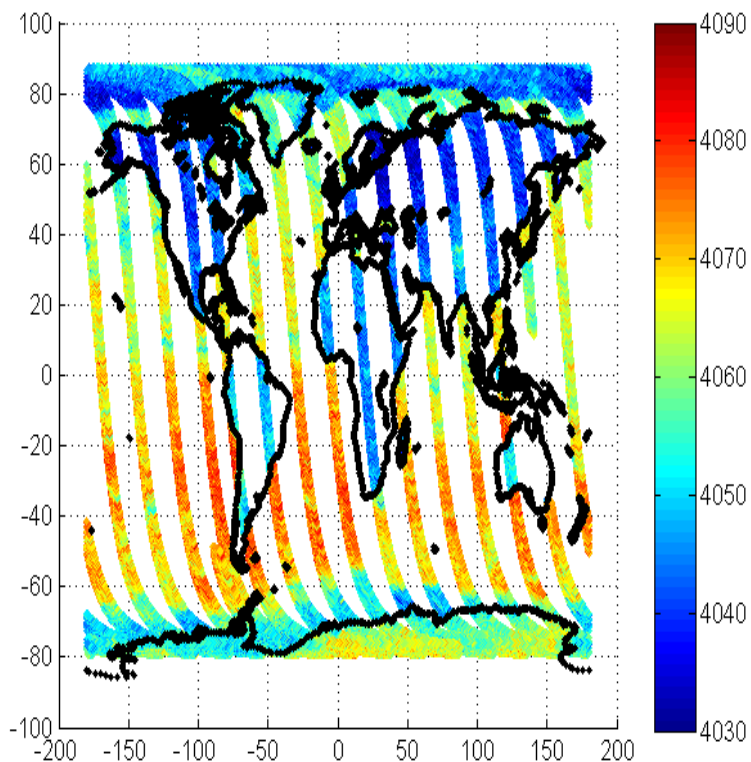
Version 5.0S

Version 6.0

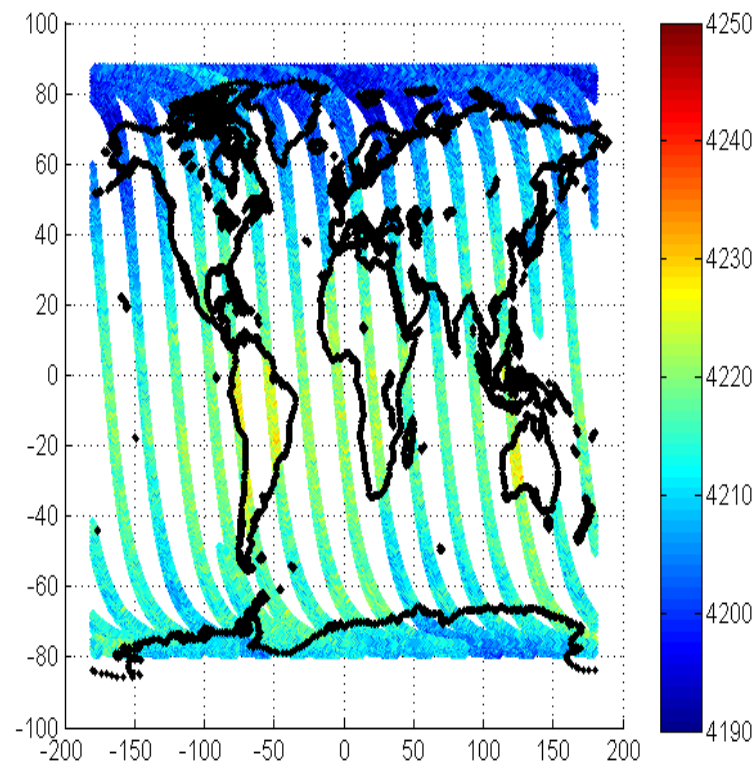


37GHz V-pol, On-orbit Noise Diode Deflection (NOT gain normalized), Ascending Passes for One Day (All Beams)

Version 5.0S



Version 6.0



Counts Normalization for Constant Receiver Gain

- Under typical on-orbit condition, the radiometer system gain will vary cyclically (once/orbit) due to the receiver physical temperature changes
- However, to determine the radiometer transfer function, the gain must be constant
- Therefore, the time variable gain was removed using the Dicke state-3 (viewing the reference load)

$$G_i = \frac{C_{0_i}}{(T_o + T_{rec})_i}$$

- where
 - G_i is the instantaneous channel gain
 - C_o is the reference load counts
 - T_o is the receive physical temperature
 - T_{rec} is the receiver noise temp

Counts Normalization for Constant Receiver

Gain cont.

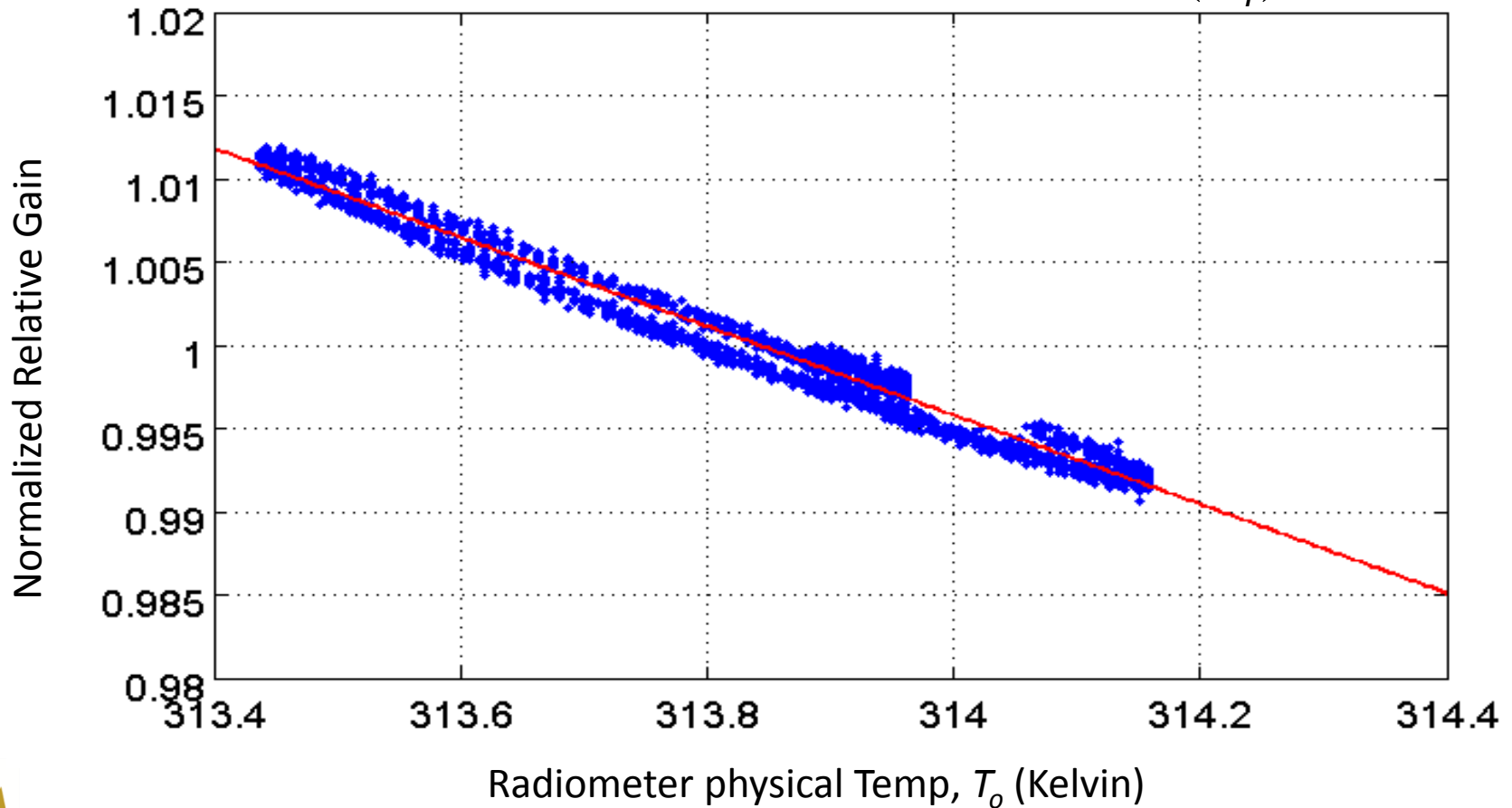
- Time variable gain was removed and all counts were normalized using the following equation:

$$C_{x_norm} = C_{x_i} * \frac{\text{mean}\{Co / (To + Trec)\}}{[Co_i / (To + Trec)_i]}$$

$x = a, N, o$ & $i =$ instantaneous value

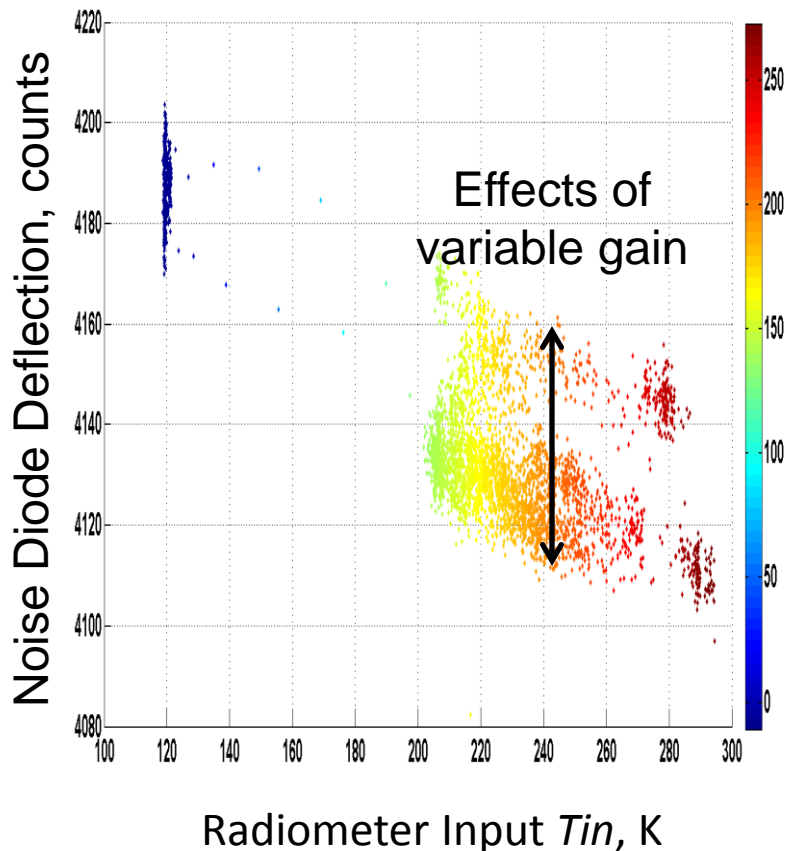
37GHz V-pol, Typical MWR Radiometer Gain for One-orbit

$$\text{Normalized_relative_gain} = \frac{G_i}{\text{mean}(G_i)}$$

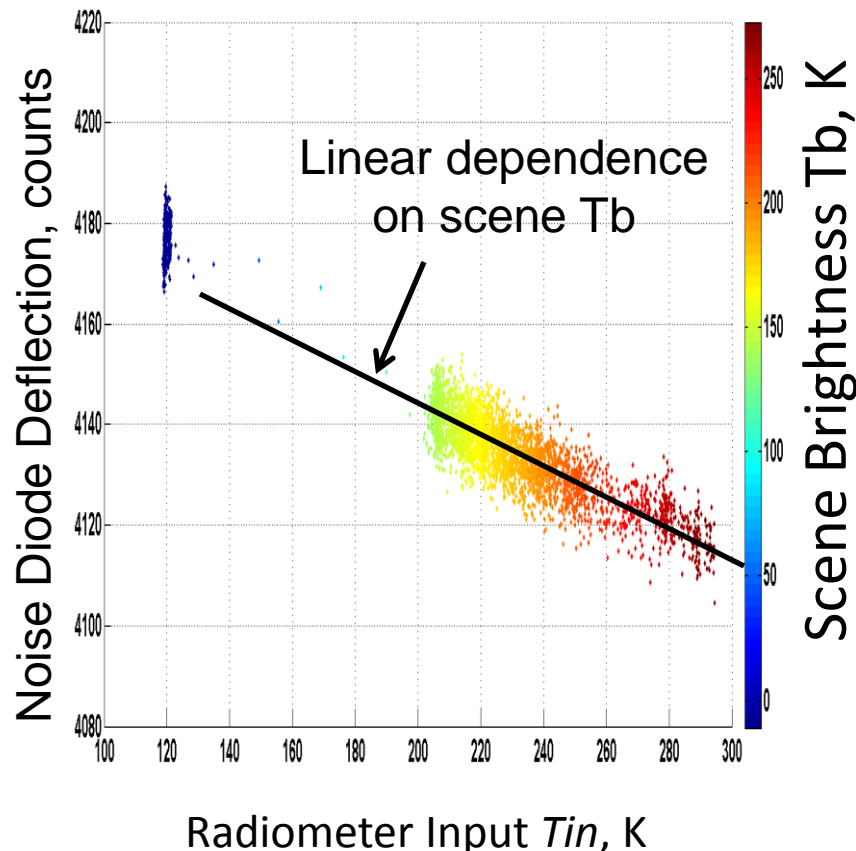


37GHz V-pol, Comparison of V5.0S Noise Diode Deflection = $(C_a - C_N)$

Before Count (gain)
Normalization



After Count (gain)
Normalization



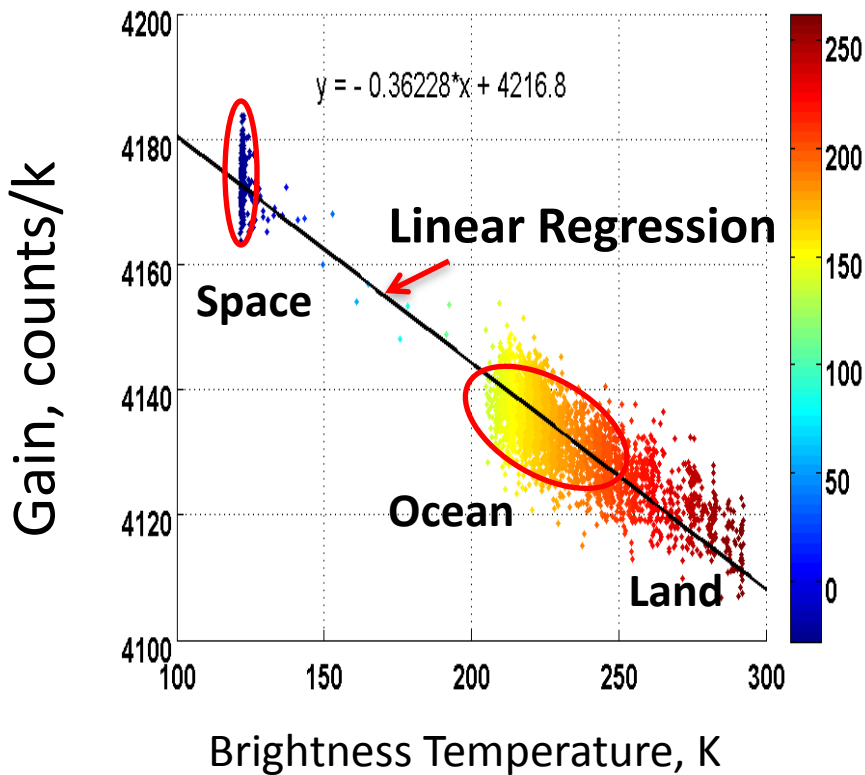
Radiometer Transfer Function Linearization V5.0

- Seven Deep Space Calibration (DSC) orbits that included, space, ocean, and land observations were used to cover wide range of scene T_b 's
- After counts (gain) normalization, the radiometer transfer function was established
 - $Rad_counts = f(T_{in})$
- Quadratic regression for 37V channel yielded the following

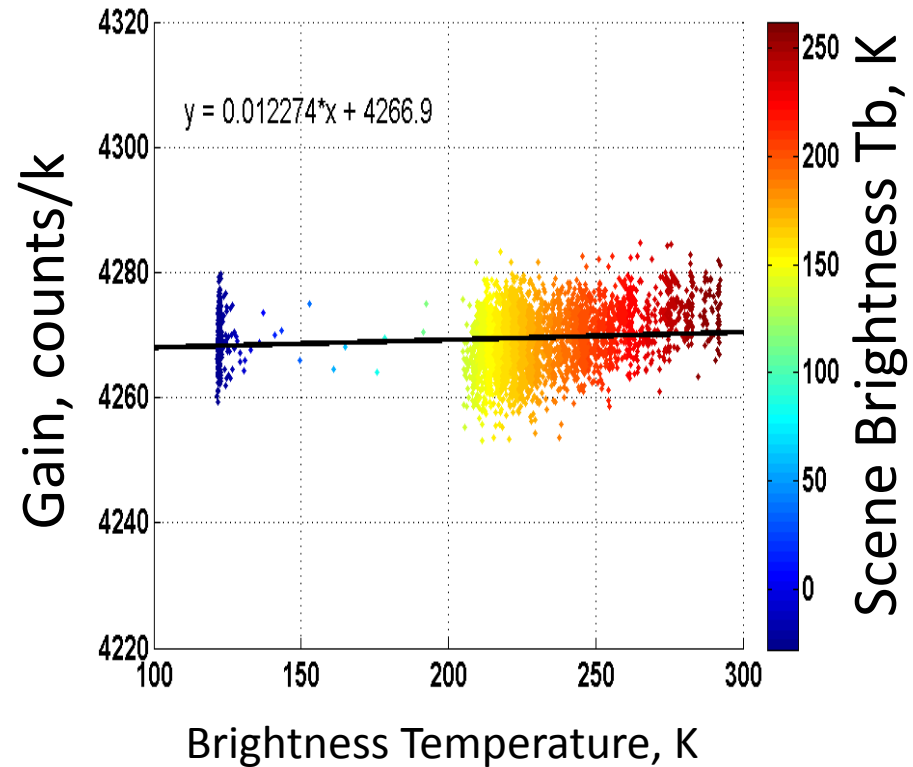
$$Rad_counts = 7.719 \times 10^{-4} (T_{in})^2 + 16.61 (T_{in}) + 3272.9$$

37GHz V-pol , One Orbit Noise Diode Deflection

V5.0S

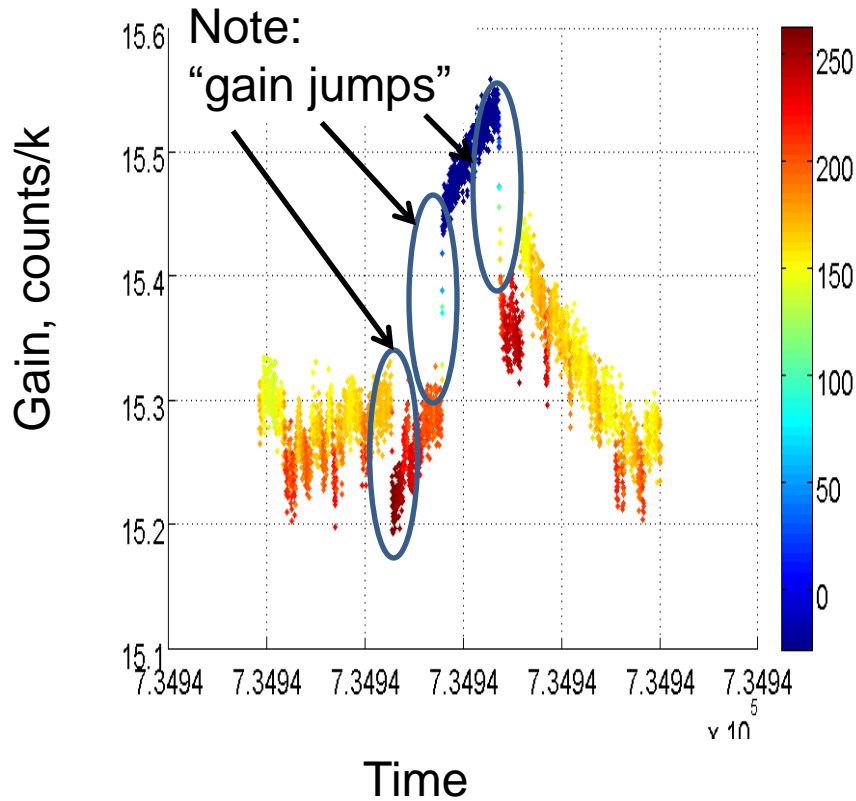


V6.0

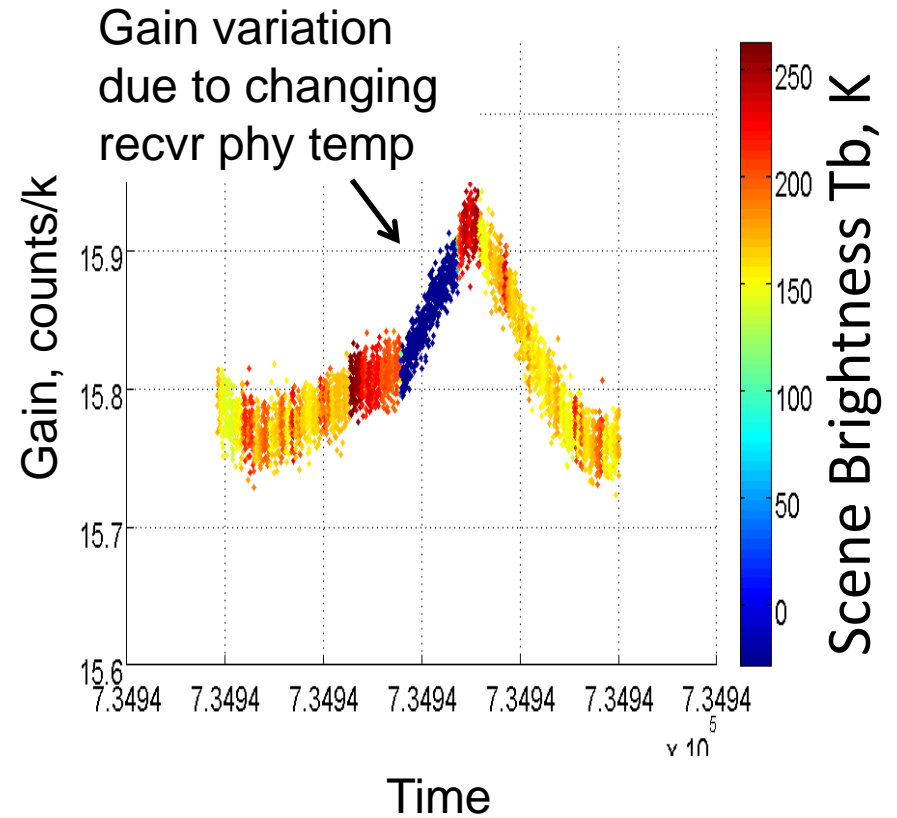


37GHz V-pol , One Orbit Radiometer Gain

V5.0S



V6.0



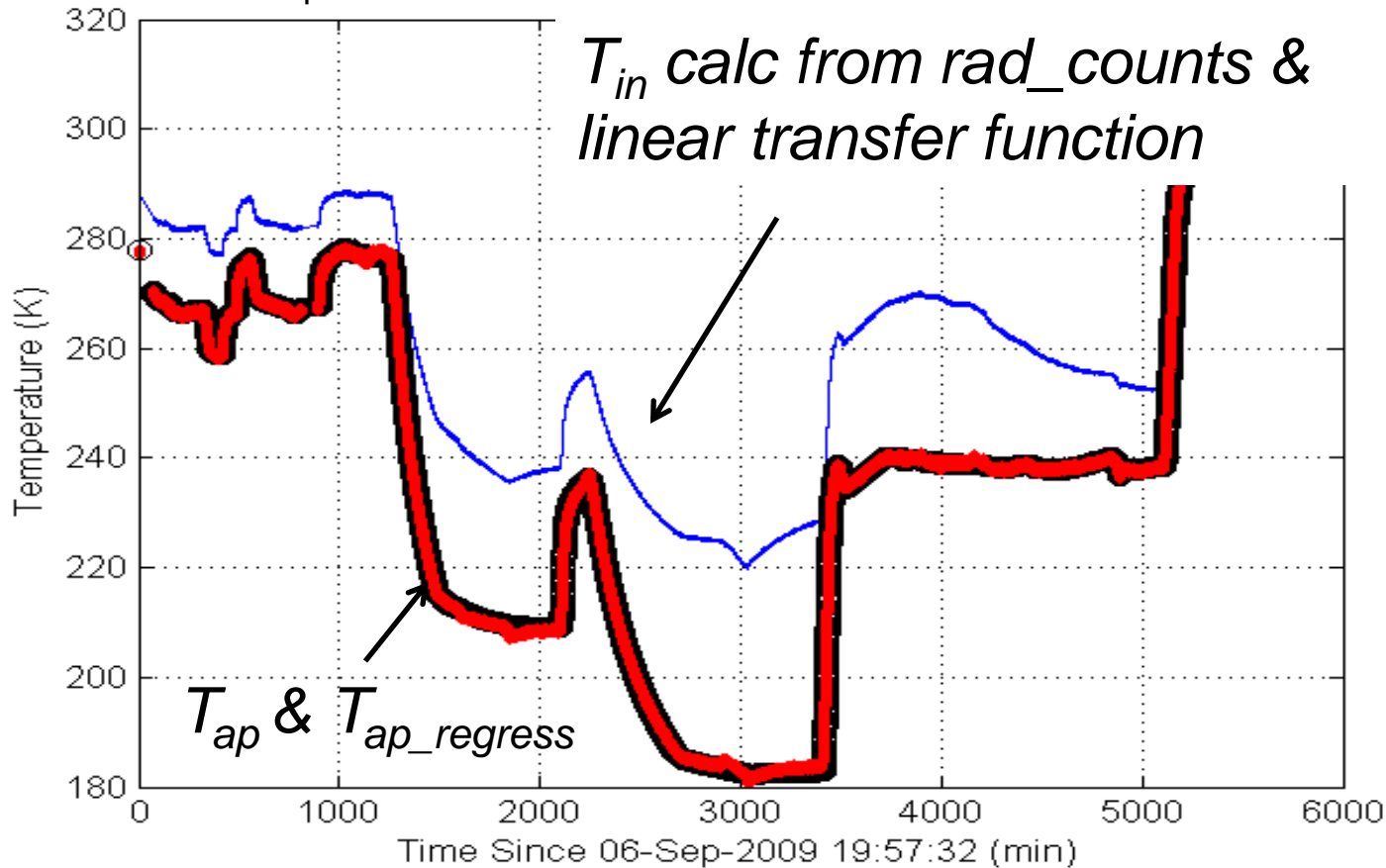
Reanalysis of Prelaunch TV Calibration Test

Pre-launch Data Analysis Objectives using Linearized Counts

- Characterization of injected noise diode temperature (T_N) over physical temperature
- Retrieve switch matrix loss coefficients
 - Empirical method (regression model) was applied
 - Assumption: All transmission and reflection coeff's are constant and are NOT expected to change during MWR's mission life time

37GHz V-pol, Computed Apparent Temperature using V6.0 Regression Model

$$T_{ap} = [T_{in} - (b_2 * T_0 + b_3 * T_1 + b_4 * T_2 + b_5 * T_3 + b_6 * T_4)] / b_1$$



Inversion Model for Apparent Brightness Temperature (T_{ap})

$$T_{ap} = [T_{in} - (b_2 * T_o + b_3 * T_1 + b_4 * T_2 + b_5 * T_3 + b_6 * T_4)] / b_1$$

– where

- T_{ap} is the scene brightness temp at horn aperture
- T_{in} is the input brightness temperature to antenna port of Dicke switch
- T_o , T_1 , T_2 , T_3 , & T_4 are MWR physical temps
- b_1 , b_2 , b_3 , b_4 , b_5 and b_6 are coefficients derived using the regression model