

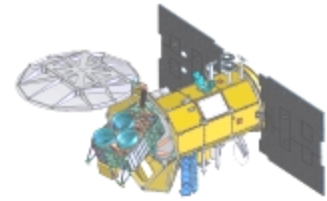


# Scatterometer Algorithm

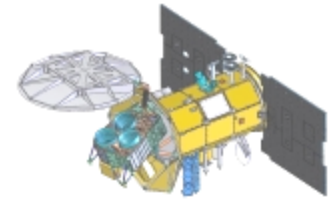
July 19, 2010  
Seattle

Understanding  
the Interaction  
Between Ocean  
Circulation, the  
Water Cycle,  
and Climate by  
Measuring  
Ocean Salinity

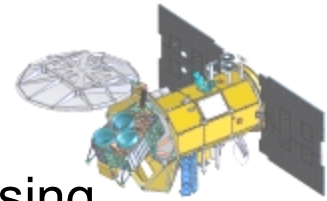
*Simon Yueh, Alex Fore, Adam Freedman, Julian Chaubell*  
*Aquarius Scatterometer Algorithm Team*



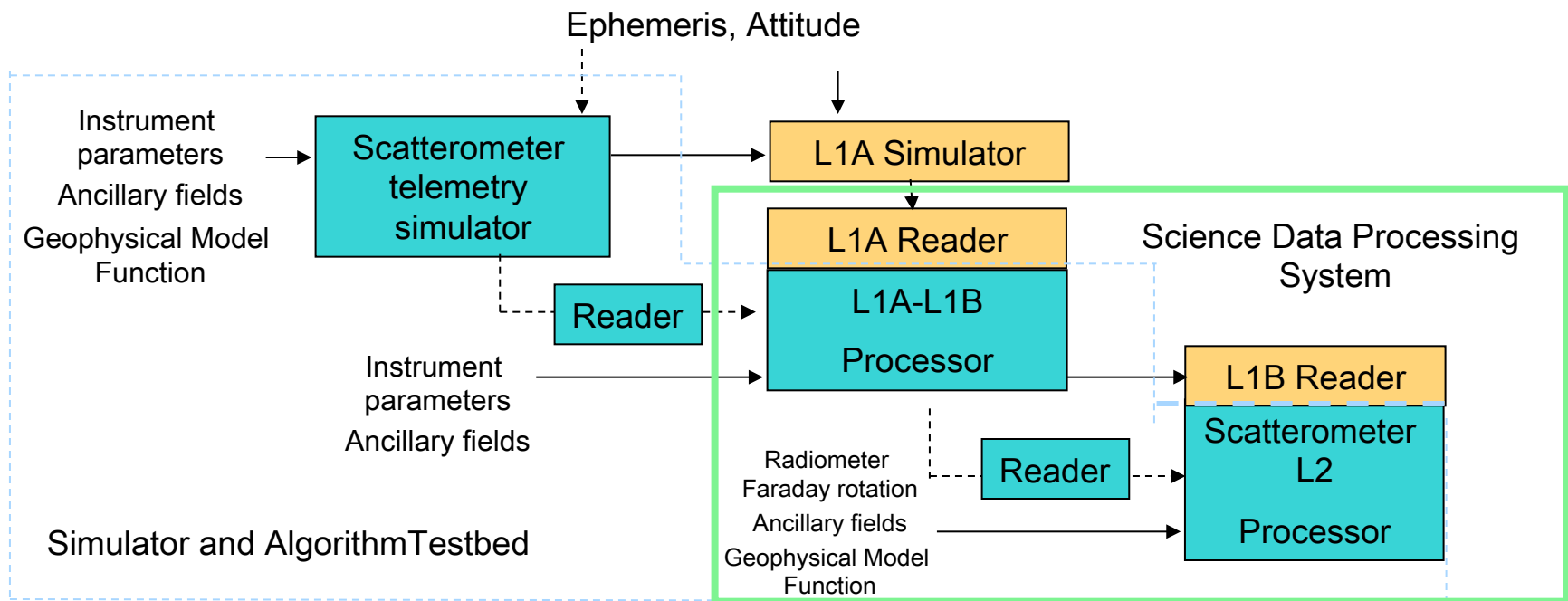
- Key Requirements
- Technical Approach
- Algorithm Development Status
  - L1A-L1B
  - L1B-L2A
- Post-Launch Cal/Val Plan
- Remaining Issues and Plans

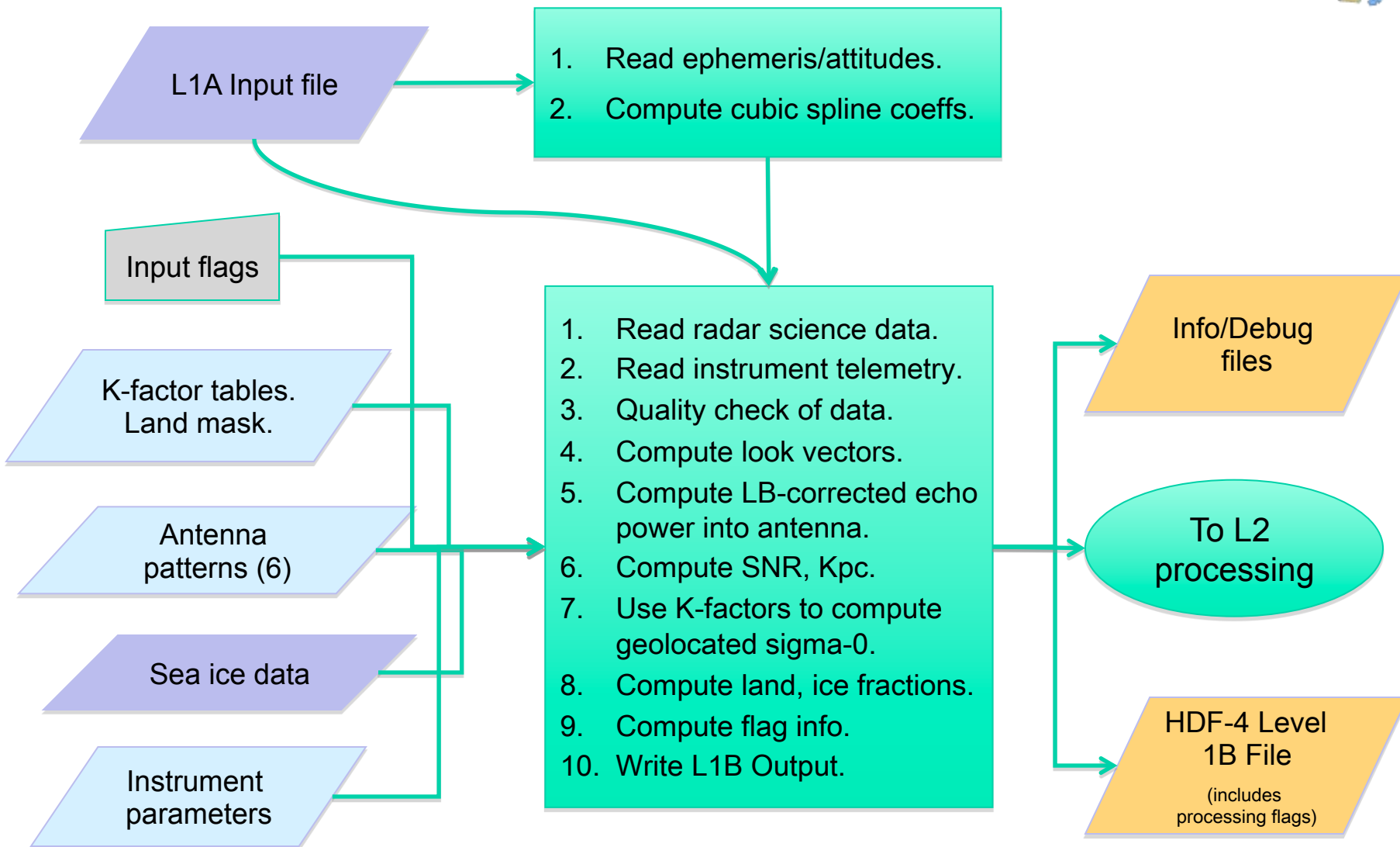
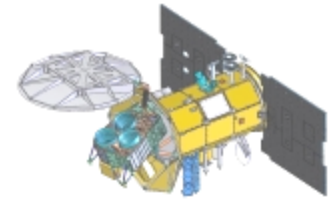


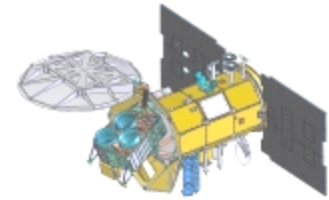
- Produce geolocated, calibrated normalized radar cross-sections (Sigma0)
  - Locate each Sigma0 on Earth.
  - Convert the L1A Aquarius data from counts to calibrated normalized radar cross-sections (Sigma0)
  - Generate an error estimate (Kpc) for Sigma0.
  - Incorporate quality control flags (RFI, land fraction, etc)
- Generate ocean surface wind speed estimates for corrections of surface roughness effects on Tb



- Develop scatterometer simulator for end-to-end data processing system testing and post-launch cal/val tool development.
- The simulator will be updated and used as a testbed to develop new algorithms.
- Algorithm/software will be modularized to allow plug and play.







Define the following terms:

$$X_{\text{int}} = \iint_{\text{area}} \frac{g_r g_t h dA}{R^4}$$

Antenna pattern and radar equation

$$X_{\text{cal}} = \frac{\lambda^2}{(4\pi)^3} \left( \frac{P_{\text{cal}} L_{\text{bc}} L_{\text{cal}} G_{\text{bp}_{pk}}^2}{L_{\text{op}} L_T L_R B_{\text{bp}_i, p_r}} \right)$$

Electronics cal (Cal loop&losses)

$$P_s = P_e - P_n$$

Noise Subtraction

Then:

$$\sigma_0 = \frac{P_s}{X_{\text{cal}} X_{\text{int}}}$$

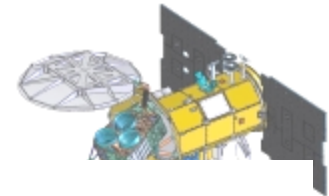
Radiometric cal

This is an expression for  $\sigma_0$  in terms of parameters either measured by Aquarius or derivable from geometry and pre-launch test measurements.

- $P_s$ = signa+noise data,  $P_n$ =noise only data and  $P_{\text{cal}}$ = cal-loop data.

It is very time consuming to carry out the 2-d numerical integration ( $X_{\text{int}}$ ) for all orbit steps and attitude

Impractical for in-line data processing

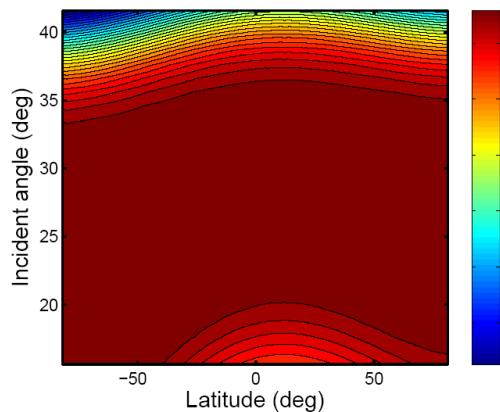


$$K_{factor}^{ij}(lat, lon, yaw, roll, pith) = \frac{R_c(lat, lon, yaw, roll, pith)^4}{A_{3dB}(lat, lon, yaw, roll, pith)} X_{int}^{ij}(lat, lon, yaw, roll, pith)$$

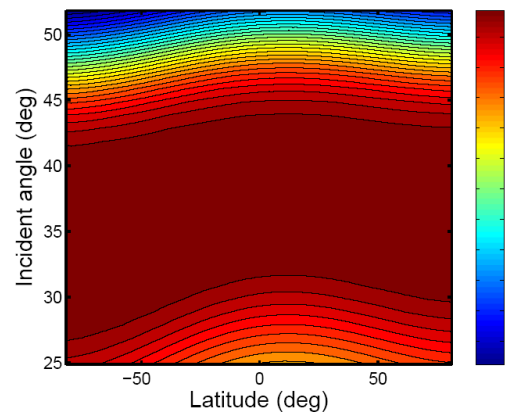
$$\bar{\sigma}_0^{ij} = \frac{R_c(lat, lon, yaw, roll, pith)^4 P_{signal}}{A_{3dB}(lat, lon, yaw, roll, pith) \bar{K}_{factor}^{ij}(lat, \theta) X_{cal}^{ij}}$$

- K-factor will be a look-up table with 4 parameters: beam#, polarization, latitude and incidence angle, rather than 7 parameters

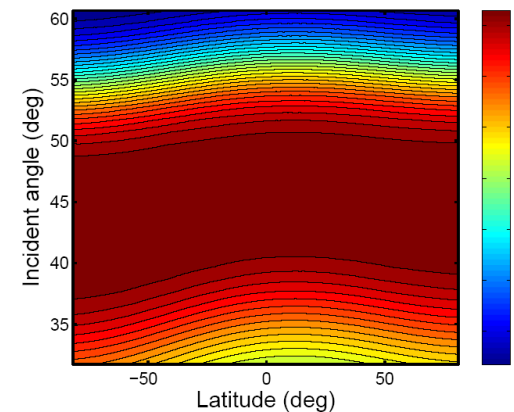
$K_{factor}$  for Beam 1 ascending direction - HH Polarization



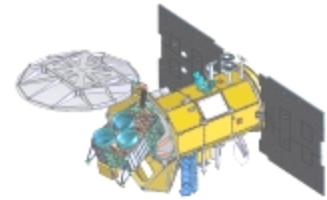
$K_{factor}$  for Beam 2 ascending direction - HH Polarization



$K_{factor}$  for Beam 3 ascending direction - HH Polarization

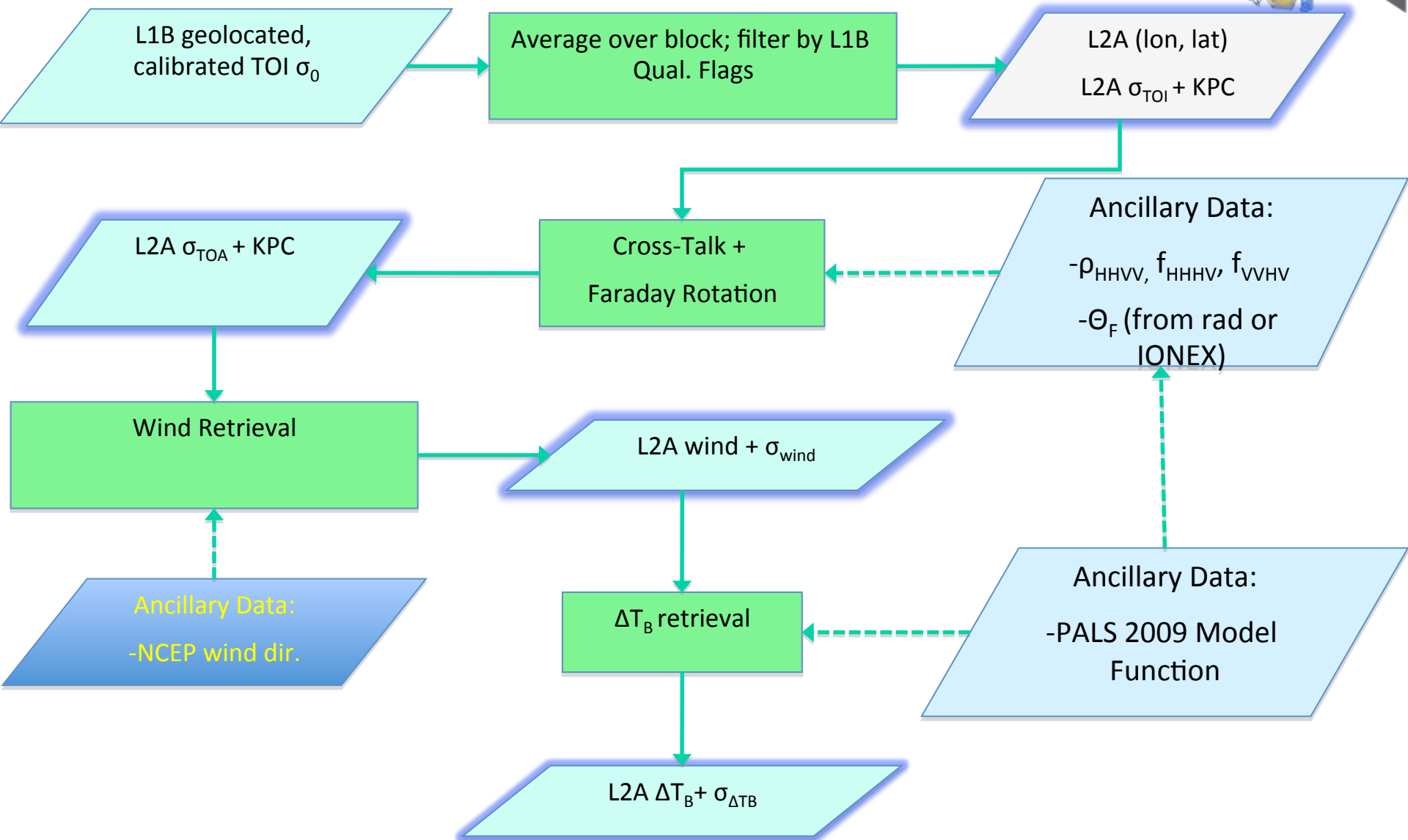
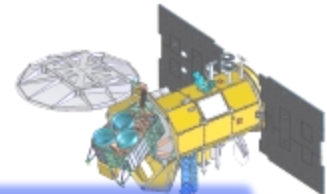


- The difference between full scalar radar equation integration and K-factor approximation is < 0.01 dB

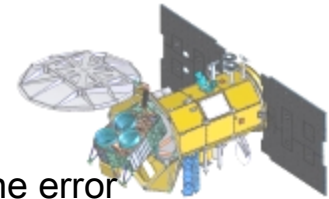


- A special Cal/Val product – not planned for routine production
- Data block at 1.44 sec interval
- S/C position and attitude
- Latitude and longitude of footprint center and corners
- Radar quad pol (VV, HH, VH and HV) data at 0.18 sec interval
- Incidence and azimuth angles
- Measurement uncertainty (kpc)
- Land fraction: fraction of land surface weighted by antenna gain
- Ice fraction: fraction of sea ice weighted by antenna gain
- RFI flag

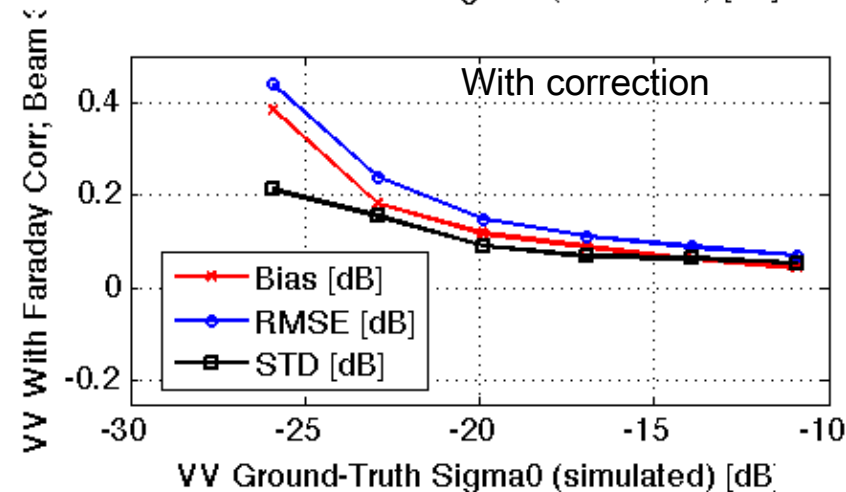
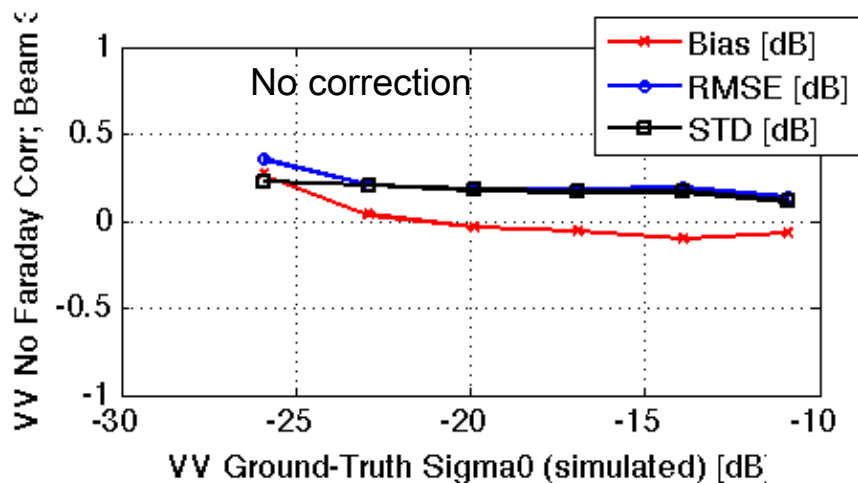
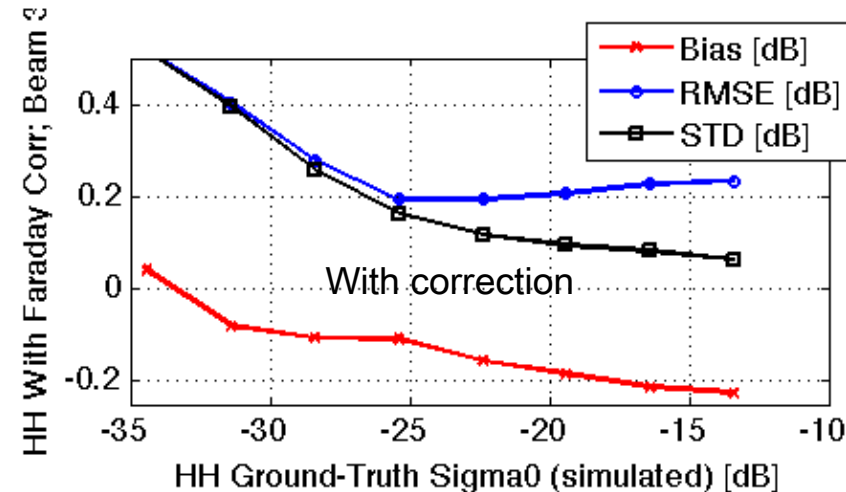
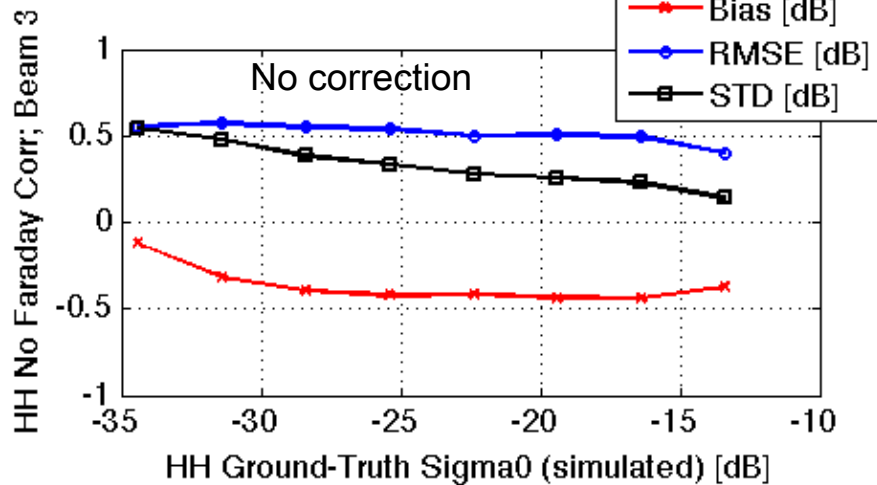


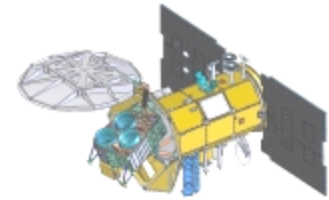


# Cross-pol/Faraday Rotation Correction Beam 3



- The algorithm using the antenna pattern and faraday rotation data significantly reduces the error of each polarized VV, HH, VH and HV sigma0s. (<0.1 dB for strong backscatter)
- See Alex Fore et al's paper for details of the correction algorithm

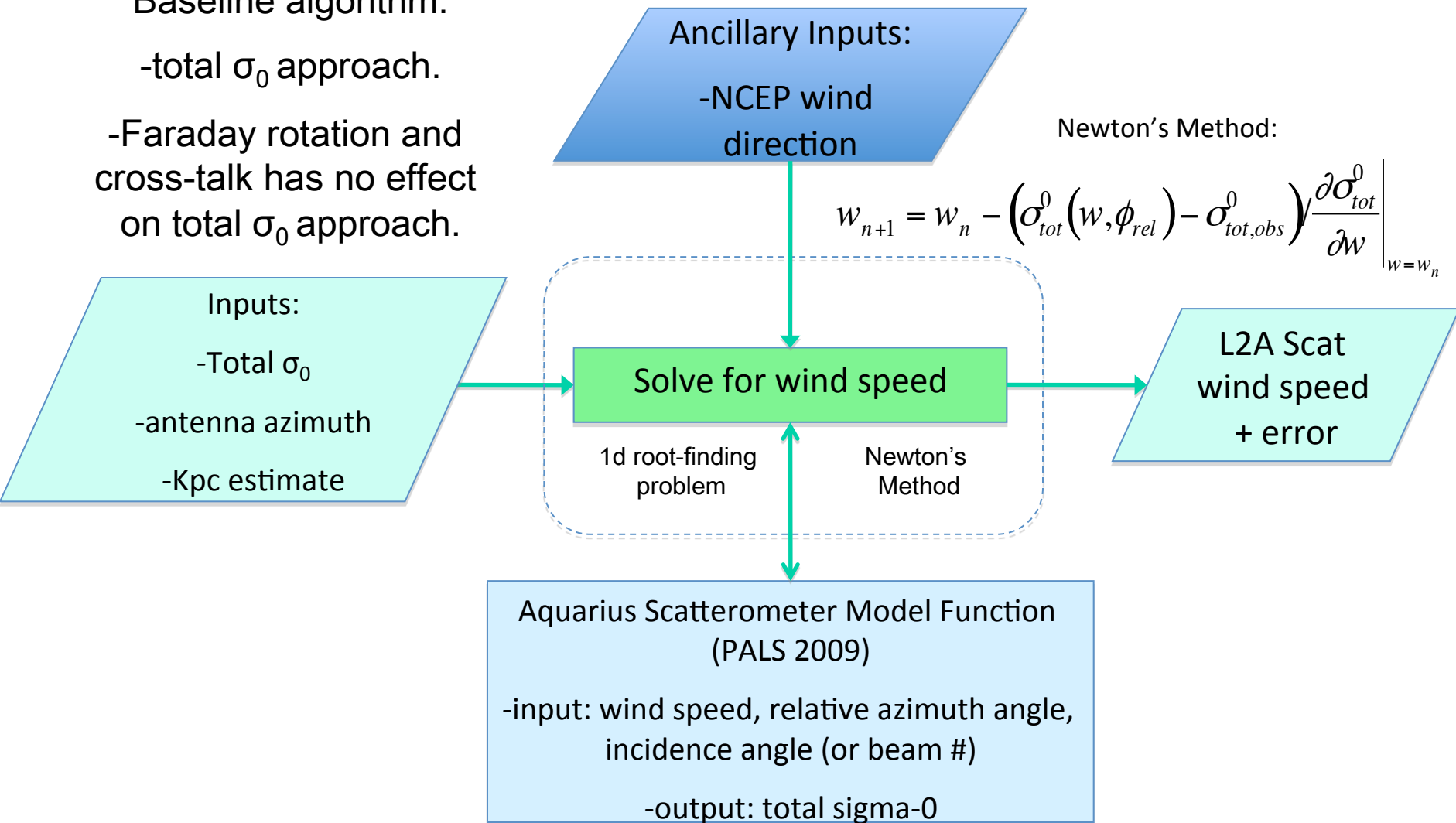




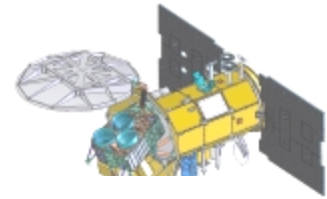
Baseline algorithm:

-total  $\sigma_0$  approach.

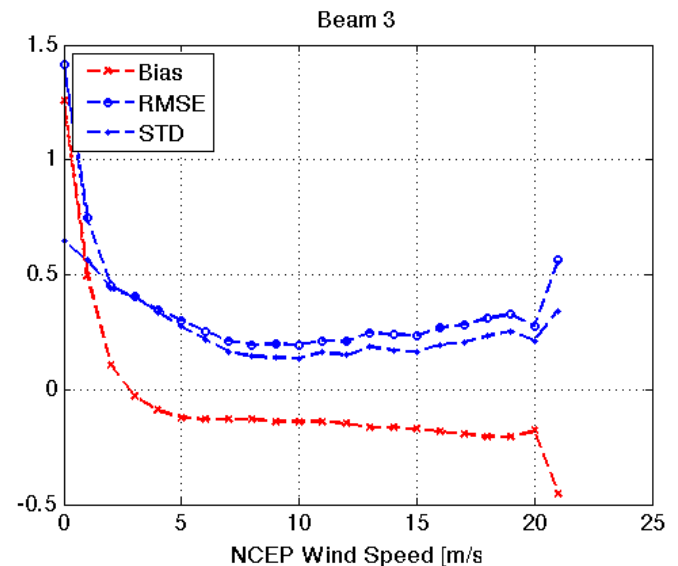
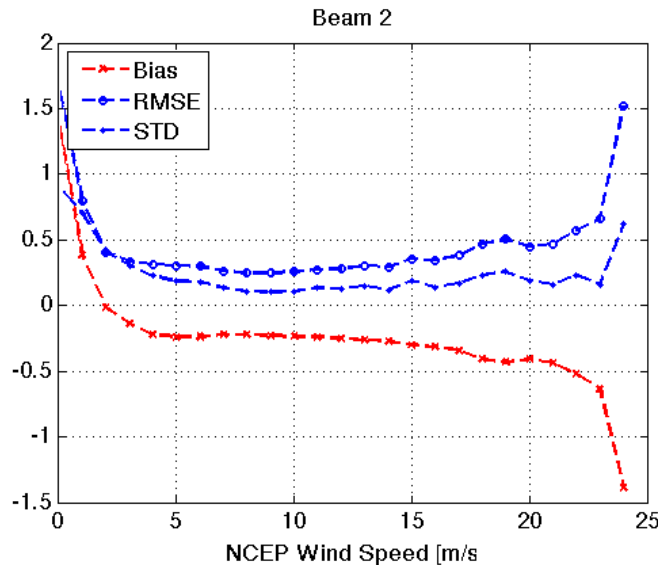
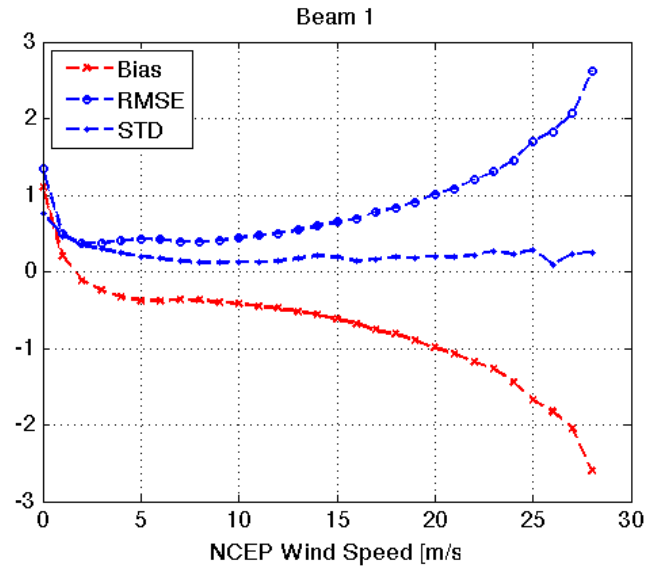
-Faraday rotation and cross-talk has no effect on total  $\sigma_0$  approach.

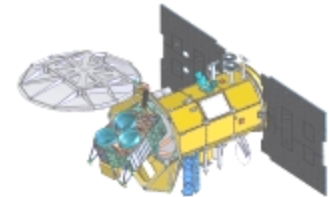


# Simulated Total $\sigma_0$ Wind Retrieval Performance

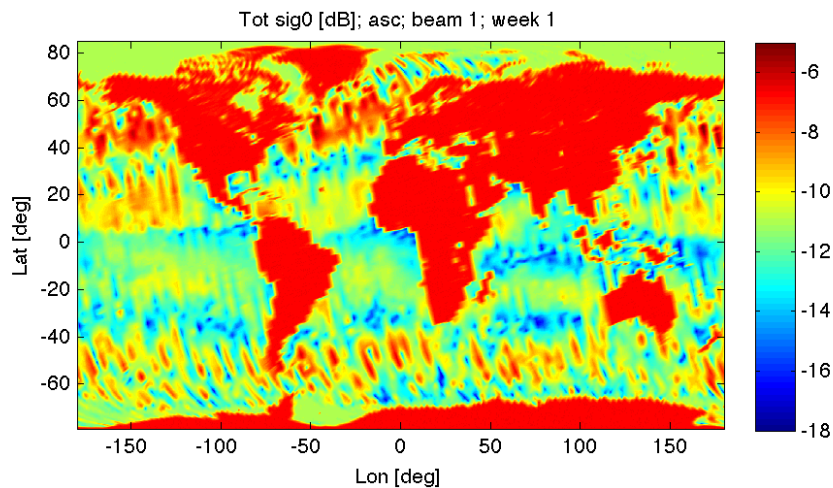


- Total  $\sigma_0$  performance is independent of any Faraday rotation corrections or cross-talk removal.
- As compared to beam-center NCEP wind speed:
  - Wind Speed B1 std: 0.205 m/s
  - Wind Speed B2 std: 0.186 m/s
  - Wind Speed B3 std: 0.226 m/s
- By construction, when we derive the model function from the data there will be no bias.

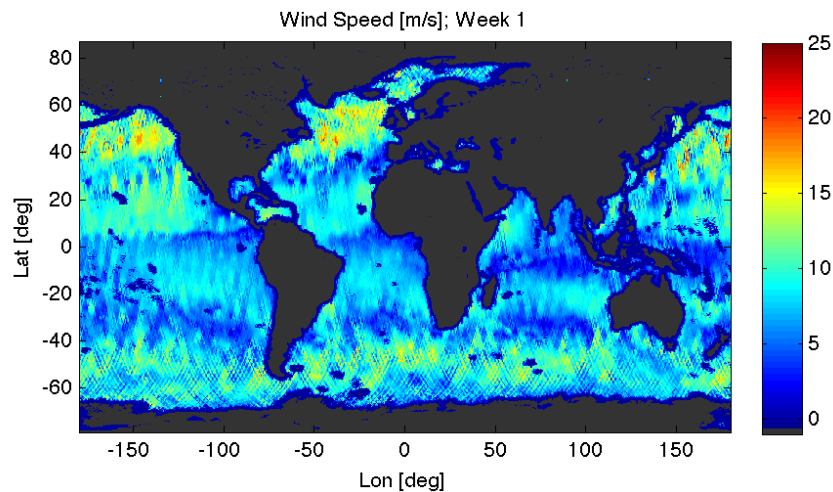


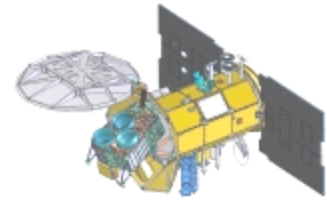


## Radar sigma0 simulation (weekly for 2007)



## Wind speed estimate simulation (weekly for 2007)





- L2  $\Delta T_B$  will be the scatterometer wind speed times the PALS  $dT_B/dw$ . (Note: not included in v1 delivery)
  - We estimate the  $\Delta T_B$  errors due to the wind RMSE numbers.
  - The simulated sd error is about 0.05 K for vertical polarization and 0.07 K for horizontal polarization, better than the 0.28K allocation

$$\Delta T_v = \frac{\partial T_v}{\partial w} w \quad \text{var}(T_v) = \frac{\partial T_v}{\partial w} \text{var}(w)$$

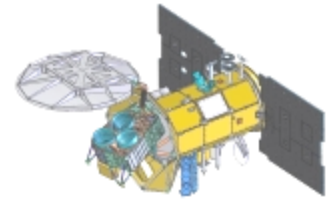
$$\Delta T_h = \frac{\partial T_h}{\partial w} w \quad \text{var}(T_h) = \frac{\partial T_h}{\partial w} \text{var}(w)$$

PALS Tb relation:

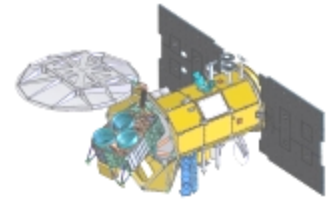
$$\frac{\partial T_v}{\partial w} = 0.275 - 0.0024153 \times \theta_{inc} + 0.00014026 \times \theta_{inc}^2 - 2.3326 \times 10^{-6} \times \theta_{inc}^3$$

$$\frac{\partial T_h}{\partial w} = 0.275 + 0.003001 \times \theta_{inc} - 2.5181 \times 10^{-6} \times \theta_{inc}^2 - 6.9763 \times 10^{-7} \times \theta_{inc}^3$$

	Beam 1	Beam 2	Beam 3
$dT_v / dw$	0.266	0.258	0.235
$dT_h / dw$	0.343	0.347	0.340
$\sigma_{\Delta T_v}$	0.0545	0.0480	0.0532
$\sigma_{\Delta T_h}$	0.0702	0.0646	0.0769

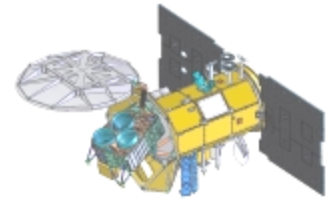


- Average over 1.44 sec
- TOI Radar Sigma0 (VV, HH, VH and HV)
- TOA Radar Sigma0 (VV, HH, VH and HV)
- Scatterometer wind speed and expected standard deviation
- TBV and TBH corrections and expected standard deviation
- Scatterometer land fraction – not the same as radiometer land fraction
- Scatterometer sea ice fraction – not the same as radiometer ice fraction



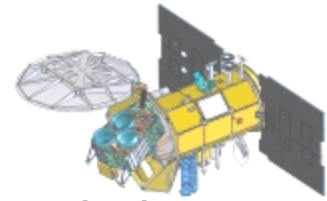
- Telemetry Analysis
  - Time series of system noise, temperature, voltage and current
- L1B analysis
  - Pointing angle analysis using sigma0 changes along land/sea crossings
  - Sigma0 Calibration stability
    - ◆ Time series of radar sigma0 over distributed targets (Antarctic, Dome-C, Amazon, Greenland)
    - ◆ Global ocean sigma0 histogram vs time
  - Faraday rotation analysis (comparison with modeling analysis using IONEX and IGMF B fields)
- L2 analysis
  - Sigma0 geophysical model function (Aquarius, NCEP wind, SST, and wave matchup)
  - Sigma0-TB geophysical model function (Aquarius, NCEP, SST, and wave matchup)



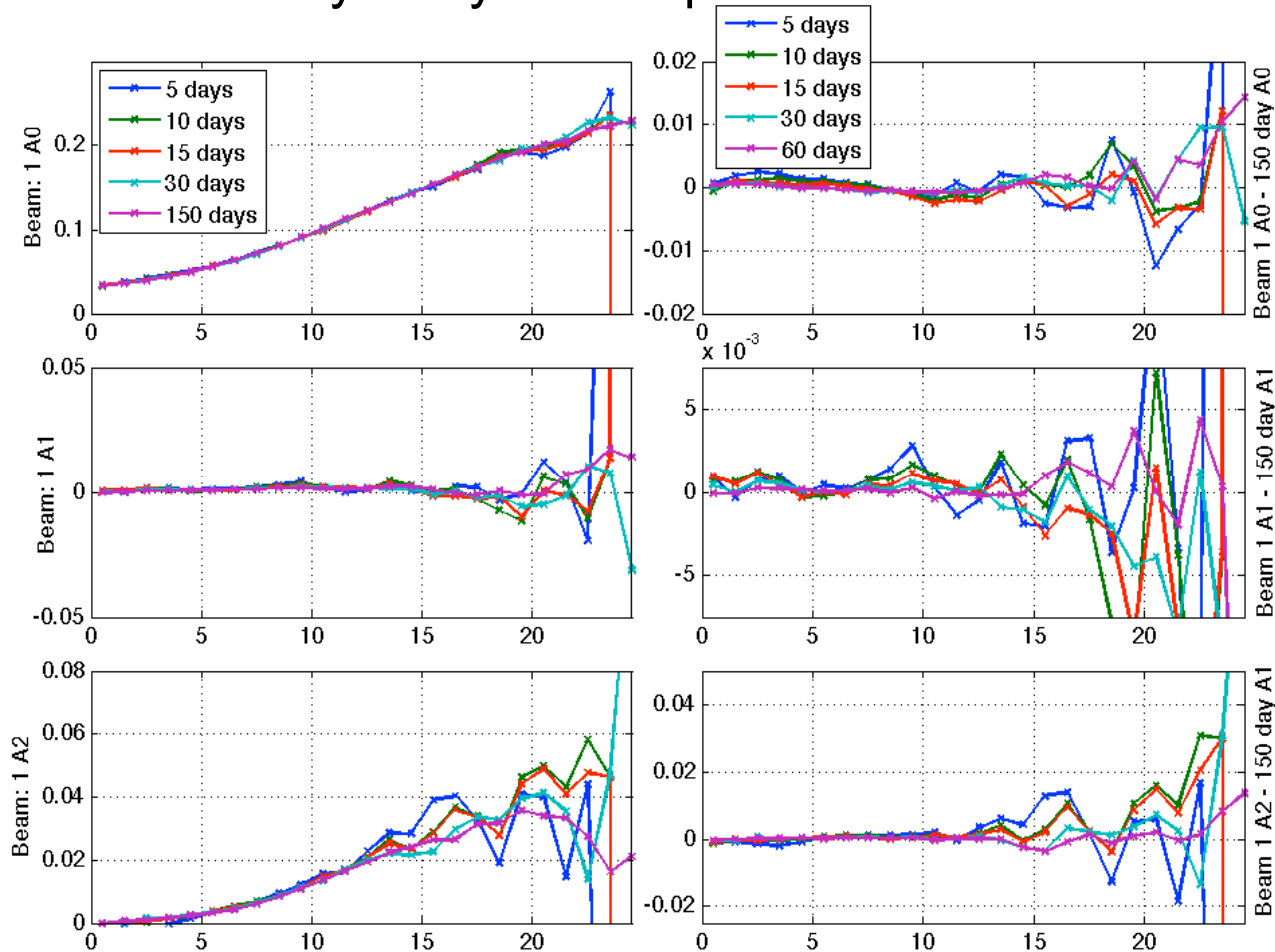


- Process all 2007 data to level 2.
- Collocate simulated scatterometer  $\sigma^{\text{tot}}$  observations with NCEP wind vectors.
  - Filter observations with non-zero land/ice fractions.
  - Use NCEP data that is offset by 6h from simulated scatterometer observations.
    - ◆ 6h as compared to 0h: rms spd diff: 1.9 m/s; rms dir diff: 27.5 deg. (computed @ beam center)
  - Average NCEP winds over beam footprint. (Not done for these results).

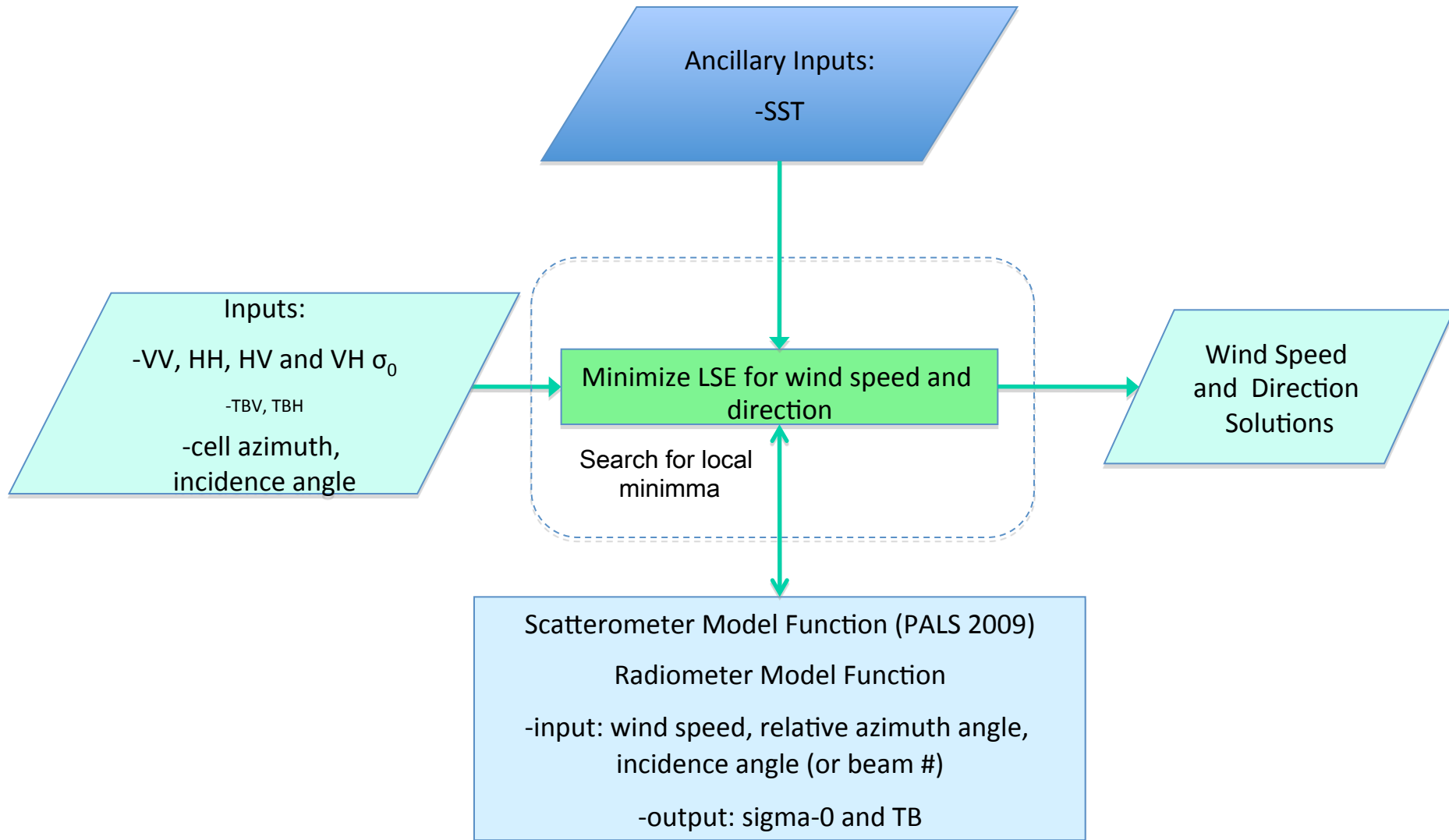
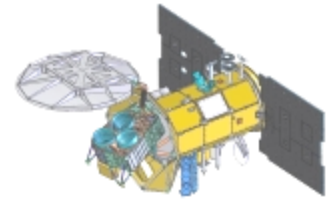
# Model Function for Beam 1 Cosine Series (6h offset)

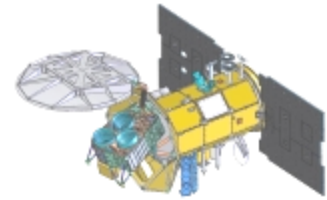


- Need probably 3 months of data for convergence for <20 m/s wind speed.
- The error caused by noisy matchup needs to be resolved.

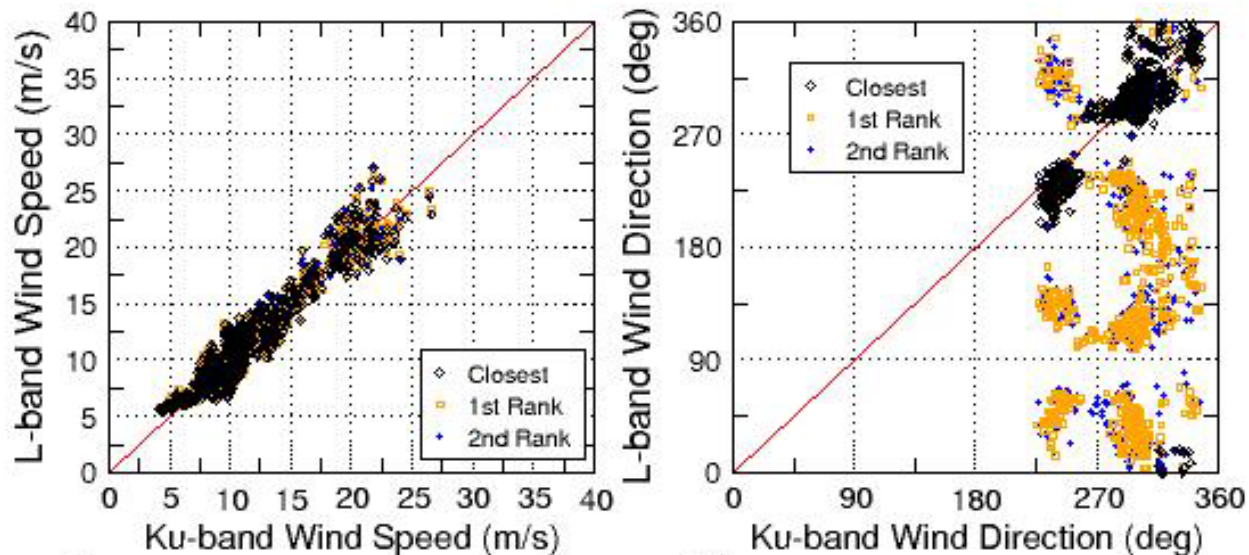


# Experimental Wind Retrieval Process Flow

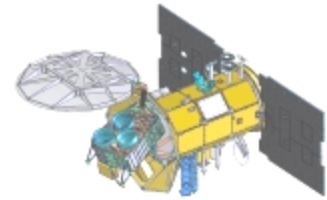




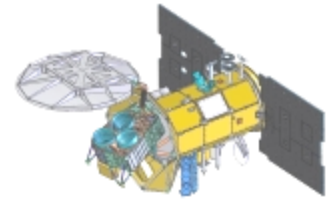
- Distinct characteristics of TB and Sigma0 will allow the estimate of wind speed and direction.
  - The RMS differences between PALS (closest solution) and POLSCAT winds are 1.4 m/s and 15 deg.



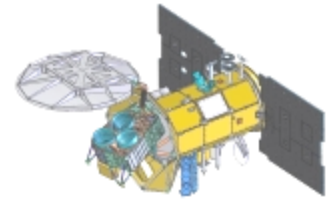
Wind speed and direction solutions derived from PALS radiometer  $T_H$  and radar  $\sigma_{VV}$  data are illustrated versus the ocean surface wind speed and direction derived from the POLSCAT Ku-band measurements acquired on 26 February, 2 March and 5 March 2009. In general, the single azimuth look observations will allow four directional solutions. SMAP's fore and aft-look geometry will allow the discrimination of two of the solutions.



- Develop operational simulator for ADPS testing
- Develop analysis tools for cal/val
  - Detection of pointing and time tag errors
  - Removal of sigma0 calibration bias and drift
  - Assessment of sigma0 quality and flags (rain, RFI) and adjustment of threshold for flags
  - Model function development and accuracy assessment
  - Scatterometer wind validation using matchup analysis of NCEP and any other available wind products (ASCAT, MWR, AMSR, Windsat)
  - Advanced wind retrieval and TB correction techniques



Backup

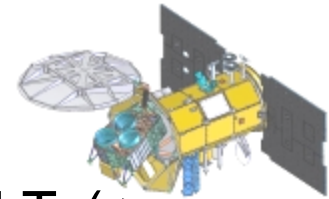


Define:

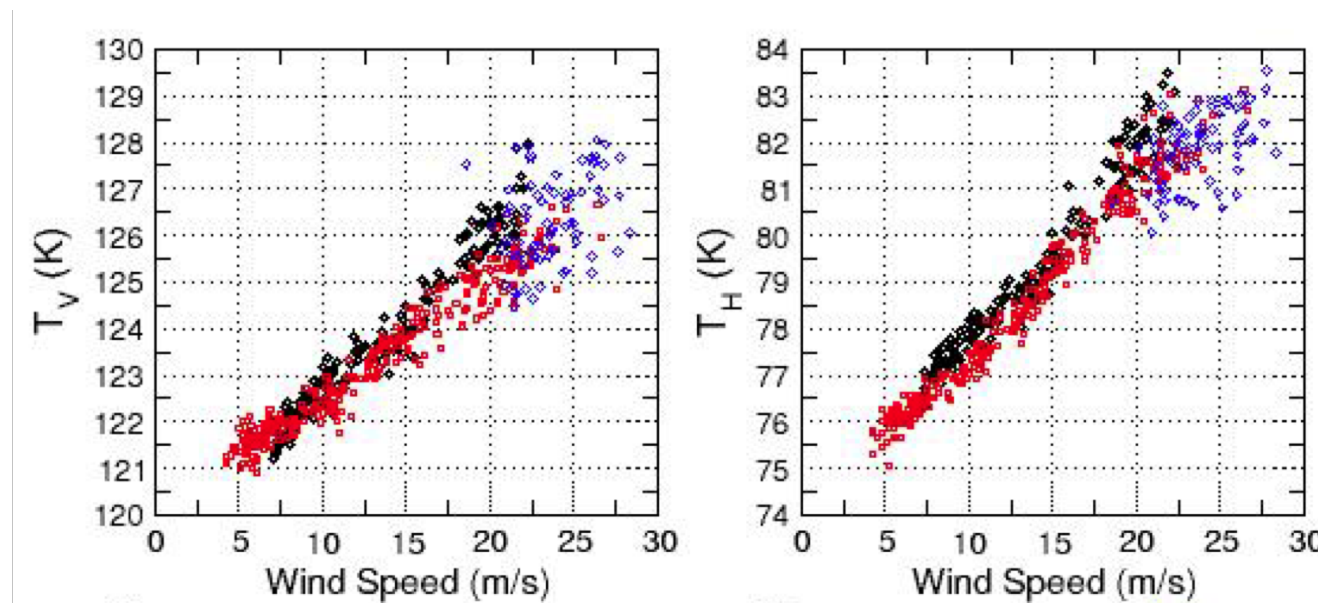
$L_{lbc}$	Loss through the Loop-back attenuator.
$L_{cal}$	Loss through the variable attenuator during a loop-back calibration pulse.
$L_{op}$	Loss through the variable attenuator during measurement pulses.
$P_{cal}$	The measured value of a loop-back pulse.
$P_s$	The signal power in the received radar echo
$B_{b_{P_t P_r}}$	Bias terms to compensate for accumulated (but constant) measurement error

Then the measured power during a loop-back calibration pulse will be:

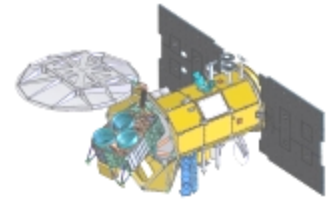
$$P_{cal} = \frac{P_t G_r L_{op}}{L_{lbc} L_{cal}}$$



- We find very high correlation between wind speed and  $T_B$  ( $> 0.95$ ).
- We also find a similarly high correlation between radar backscatter and  $T_B$ .
  - Suggests radar  $\sigma_0$  is a very good indicator of excess  $T_B$  due to wind speed.
  - Caveat: we need ancillary wind direction information for Aquarius: PALS results show a significant dependence on relative angle between the wind and antenna azimuth.







- From all of the data we derived a fit of the excess  $T_B$  wind speed slope as a function of  $\Theta_{inc}$ .

